

FORD NUCLEAR REACTOR ACCIDENT ANALYSIS
AND
PUBLIC RADIOLOGICAL CONSEQUENCES OF MAX
IMUM CREDIBLE ACCIDENT

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ABSTRACT

An accident analysis at the 2Mw pool-type light-water-coolant-moderator Ford Nuclear Reactor at the University of Michigan has been carried out. A synopsis of the accidents analyzed follows:

1. Loss of Primary Coolant Accident

The maximum fuel plate center temperature following a complete loss of primary coolant, leaving the reactor core uncovered, is estimated to be 928.13°F at 223.66 minutes after reactor shutdown. The preshutdown operating conditions were 2 Mw power level for a 10 day period. A relation between loss of coolant maximum fuel plate center temperature and reactor power demonstrates that the maximum reactor power at which the reactor can operate safely before melting occurs under the prestated operating conditions is 2.58 Mw.

2. Reactivity Insertion Accidents

- 2.1 For a maximum reactivity insertion rate of $0.0277\% \Delta k/k/sec$, corresponding to the maximum shim safety rod withdrawal rate, and the reactor initially at its shutdown state (shutdown reactivity $0.035 \Delta k/k$), the reactor period reached at the safety system power level trip setpoint of 2.4 Mw is estimated to be 440 msec and the energy release during the excursion is 0.1081 Mw-sec.
- 2.2 For a step reactivity insertion of $0.012 \Delta k/k$ corresponding to the maximum experiment worth permitted by Technical Specifications and the reactor operating at a steady-state power level of 2 Mw, the reactor period at trip level is 23.4 msec and the energy release 0.5429 Mw-sec.

Comparison of these results with the 3.2 msec period and 30.7 Mwsec energy released at the Spert-1 tests shows that no reactor fuel damage would result.

3. Primary Coolant System Failure

No melting is expected since the reactor is always covered with water.

4. Fuel Element Blockage Accident

Coolant flow channel boiling caused by blockage of flow through an element would cause period fluctuations and subsequent scram of the reactor, thus preventing fuel damage.

5. Fuel Element Cladding Failure

Fission product release had to be taken into consideration. Because of this, a maximum credible accident was postulated in which, due to manufacture defects, a rupture of 10% of the cladding material from one fuel element plate cause the release of 1.59×10^{-4} % of the total core inventory based upon a power history of 2 Mw for 1 year of operation. The fission products released, 100% of the iodines and noble gases Xenon and Krypton, were instantaneously released into the pool water. The residency of these fission products within the pool and containment was assumed to be a function of only their decay constants and experimentally determined leak rates from the pool and containment.

For the above reactor core fission product inventory and leak rates, and some conservative assumptions given within this report, the accumulated external, thyroid, and total doses likely to be received by a population at different distances from the reactor site and for different exposure times following the accident are in general well within the recommended maximum permissible doses recommended by the National Council on Radiation Protection (NCRP).

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| <u>QUANTITY</u> | <u>SYMBOL</u> | <u>VALUE</u> | <u>UNIT</u> |
|--|-----------------|--------------|-------------------|
| Decay Constant for One-Delayed-Neutron-Group Model | $\bar{\lambda}$ | 0.08123 | sec ⁻¹ |
| Shutdown Reactivity | ρ_0 | 0.035 | $\Delta k/k$ |
| Aluminum Melting Point | none | 1200 | °F |
| Temperature at the Bottom of the Fuel Element | none | 200 | °F |
| Step Reactivity Insertion | none | 0.012 | $\Delta k/k$ |

(*) Values of λ_i are given in table (3.1.1.1-1). λ_i in table (7.1) represent the decay constants of the radioisotopes listed there.

TABLE OF PHYSICAL AND NUCLEAR CONSTANTS

| <u>QUANTITY</u> | <u>SYMBOL</u> | <u>VALUE</u> | <u>UNIT</u> |
|--|---------------|-----------------------|------------------------------------|
| Length of Conduction Path to end Box (MTR-type fuel plate) | a | 0.97 | ft |
| Cross Sectional Area of Fuel Assembly | A | 0.0275 | ft ² |
| Area of Hole 8" diameter | A_h | 0.35 | ft ² |
| Surface Area of Reactor Pool | A_p | 200 | ft ² |
| Specific Heat of Aluminum | c_p | 0.22 | BTU/16 °F |
| Acceleration of Gravity | g | 32.06 | ft/sec ² |
| Initial Water Head | h_0 | 23 | ft |
| Thermal Conductivity of Aluminum | k | 115 | BTU/hr-ft °F |
| Prompt Generation Neutron Life Time | l | 1.04×10^{-4} | sec |
| Fuel Assembly Plate Mass | m | 7.5 | lb |
| Steady-State Reactor Power | P | 2 | Mw |
| Shutdown Power Level | P_s | 0.8 | watts |
| Trip Level | P_T | 2.4 | Mw |
| Maximum Rate of Positive Reactivity Insertion | r | 0.0277 | $\frac{\% \Delta k/k}{\text{SEC}}$ |
| Rate of Negative Reactivity Insertion | r' | 0.1667 | $\frac{\Delta k/k}{\text{SEC}}$ |
| Reactor Operating Time | T | 10 | days |
| Effective Delayed Neutron Fraction (6-groups U-235) | β | 0.755 | % |
| Decay Constant for i^{th} Delayed Neutron Presursor | λ_i | (*) | sec ⁻¹ |

From the analysis of these accidents, a maximum credible accident is postulated. Since in any maximum credible accident, special attention is given to the release of fission products and their leak rate from the reactor pool and the containment, experiments were performed to determine these parameters.

CHAPTER 1 INTRODUCTION

The profound concern in nuclear reactor safety is widely reflected in the number of experiments simulating nuclear accidents that have been performed since the development of nuclear energy. An analytical, accurate description of the consequences of a nuclear reactor accident is essential for the continuous development of such facilities. Such descriptions are the basis for estimating the safety margin required in the design and construction of either a research or a power reactor.

Preliminary and final safety analysis reports must be completed and approved in order for a nuclear power plant to be constructed and operate. PSAR and FSAR reports consider an accident which could take place under the most pessimistic conditions and, according to its radiological hazards, the size of the plant including the exclusion area and the characteristics of the reactor containment, are established. In general, for safety analysis in power plants, this maximum credible accident is postulated as a loss of coolant accident (LOCA).

While the consequences of a LOCA type accident in nuclear power plants are studied, the purpose of this report is to analyze the consequences of different postulated accidents that could occur in the Ford Nuclear Reactor (FNR). A considerable number of experimental tests have been performed in nuclear research reactors of the pool-type, using MTR fuel elements and operating at power levels of the order of the 2 Mw FNR power level. Whenever possible, the information from those experiments will be used either to elaborate the FNR analysis or for comparison purposes.

The possible accidents that can occur in a pool-type reactor can be generally classified as follows:

1. Loss of Coolant Accident
2. Reactivity Insertion Accidents
3. Primary Coolant System Failure
4. Fuel Element Cladding Failure
5. Fuel Element Blockage

| <u>QUANTITY</u> | <u>SYMBOL</u> | <u>UNIT</u> |
|---|---------------|-------------------|
| Inverse Reactor Period at Trip Level | w_T | sec ⁻¹ |
| Delayed Neutron Buildup Factor | β | none |

TABLE OF SYMBOLS FOR VARIABLE QUANTITIES

| <u>QUANTITY</u> | <u>SYMBOL</u> | <u>UNIT</u> |
|--|----------------------|------------------------|
| Gamma Ray Activity | A_γ | ci |
| Energy of gamma rays | E_γ | MeV |
| Energy Generated in Excursion | E | Mw-sec |
| Containment Leak Rate | L_c | sec ⁻¹ |
| Pool Leak Rate | L_p | sec ⁻¹ |
| Reactor Power Level | P | w, kw |
| Power Level at Delayed Critical | P_d | Mw |
| Maximum Power Level | P_{max} | Mw |
| Heat Transfer Rate | q | BTU/hr |
| Counting Rate oil samples | R_{oi} | cps |
| Counting Rate plain samples | R^p | cps |
| Time at which Delayed Criticality is approached | t_d | sec |
| Time at which level water is dropped 23 ft | t_{dr} | sec |
| Time to Reduce Reactivity from Trip Reactivity to Delayed Critical | t_r | sec |
| Time at which Trip Level is Approached | t_T | sec |
| Maximum Temperature Center Fuel Plate | T_c | °F |
| Gamma Ray Flux | ϕ_γ | Mw/cm ² sec |
| Effective I-131 Decay Constant for oil samples | λ_{eff}^{oi} | sec ⁻¹ |
| Effective ¹³¹ I Decay Constant for plain samples | λ_{eff}^p | sec ⁻¹ |
| Reactivity | ρ | $\Delta k/k$ |
| Reactivity at Trip Level | ρ_T | $\Delta k/k$ |
| Reactor Period | τ | sec, msec |
| Instantaneous Inverse Reactor Period | ω_0 | sec ⁻¹ |

CHAPTER 2 LOSS OF COOLANT ACCIDENT

A loss of coolant in the FNR will produce an immediate increase in the radiation levels within the building and abnormal heating of the fuel elements due to fission product energy.

Since an increase in the temperature of the fuel elements could lead to melting of the fuel and clad materials with the subsequent release of fission products, it is worth analyzing the maximum temperature that the aluminum clad could reach due to a LOCA to determine if melting occurs.

Loss of coolant from the reactor pool could be caused by:

1. Cracks in concrete pool walls
2. Beam port rupture
3. Pneumatic tube rupture
4. Rupture of a pipe or component in the
primary coolant system

2.1 Fuel Element Meltdown:

It will be assumed that the worst possible leak rate result from the rupture of an 8 inch diameter pipe at the bottom of the reactor pool with subsequent water drainage by gravity. Furthermore, for analysis, it will be assumed that the reactor has been operating at a constant power level of 2 Mw for 10 continuous days.

During reactor operation there is a build-up of fission products which, when the reactor is shutdown, release energy as they decay. This energy is the principal source of heat within the fuel. The heat transfer rate due to fission product energy in a single fuel element containing 140 grams of U-235 has been shown experimentally to be given by the expression ^[1]

$$q = 14P [t^{-0.2} - (t+T)^{-0.2}] \quad (2.1-2)$$

where

q = heat transfer rate, BTU/hr.

P = reactor power before shutdown, kw.

t = time after shutdown, seconds.

T = operating time before shutdown, seconds.

In order to clarify the analysis of the maximum temperature rise of the fuel element as a function of the heat produced by the fission products, it is necessary to outline the assumptions made [1].

First, it is assumed that the temperature of the fuel rises to a maximum value at a time t after shutdown in which the heat generation within the fuel approaches a steady-state condition. This can be stated by the expression

$$q = \frac{kA}{a} \Delta T_{max} \quad (2.1-2)$$

where

k = thermal conductivity of aluminum, 115 BTU/hr-ft-°F (assumed constant over the range 100 - 160°F).

A = cross sectional area of fuel assembly, 0.0275 ft².

a = length of conduction path to end box, 0.97 ft.

ΔT_{max} = maximum temperature rise of fuel plate, °F

Secondly, it is assumed that heat losses by radiation to surrounding components and convection are small as compared with the conduction loss.

Finally, it is assumed that if no heat were lost from the fuel plate during the decay period then its maximum temperature rise should equal the integrated heat after shutdown divided by the heat capacity of the fuel element. That is, ΔT_{max} will be given by:

$$\Delta T_{max} = \frac{1}{mC_p} \int_0^t q dt \quad (2.1-3)$$

where

C_p = specific heat of aluminum, 0.22 BTU/lb F. at 100°F.

m = mass of fuel plates per assembly, 7.5 lbs.

Equate (2.1-1) and (2.1-2) and solve for

Substitute the value of a , k and A .

$$\Delta T_{max} = 4.3 P [t^{-0.2} - (t+T)^{-0.2}] \quad (2.1-4)$$

Substituting the value of a given in (2.1-1) into (2.1-3) and performing the integration yields:

$$\begin{aligned} \Delta T_{max} &= \frac{14 P}{0.22 \times 7.5 \times 3600 \times 0.8} [t^{0.8} - (t+T)^{0.8} + T^{0.8}] \\ &= 2.95 \times 10^{-3} P [t^{0.8} - (t+T)^{0.8} + T^{0.8}], \text{ } ^\circ\text{F} \quad (2.1-5) \end{aligned}$$

Equation (2.1-5) must be corrected because in experiments it has been observed that 78% of all the heat generated is conducted away to the surrounding mass of metal before the fuel reaches its maximum temperature. A second correction must be made since the experiments in reference [1] were carried out with a 15 fuel element core as compared to the 35 element FNR core. Hence, the correction factor in equation (2.1-5) is $0.22 \times (15/35) = 0.0943$ and the corrected equation becomes

$$\Delta T_{max} = 2.78 \times 10^{-4} P [t^{0.8} - (t+T)^{0.8} + T^{0.8}], \text{ } ^\circ\text{F} \quad (2.1-6)$$

Before going further, the minimum time t after shut-down which will be used in equations (2.1-4) and (2.1-6) will be calculated. This can be accomplished by knowing that the pool level alarm would result in a shim safety rod insertion (automatic rundown) and the operator would initiate a manual scram of the reactor during the first 90 seconds. Then, the minimum value for the shutdown time is equal to the time required to drop the water level 23 ft through the 8" diameter hole at the bottom of the pool minus 90 seconds. The time t_{dr} for the water level to be dropped 23 ft can be evaluated from the Tomicelli's equation [2], that is:

$$t_{dr} = \left[\frac{2h_0}{g} \right]^{1/2} \frac{A_p}{A_h}, \quad \text{seconds}$$

where

h_0 = initial water head, 23 ft.

A_p = surface area of the pool, 200 ft².

A_h = area of the 8" diameter hold, 0.35 ft².

g = acceleration of gravity, 32.06 ft/sec.²

Substitution of these values yields $t_{dr} = 684.47$ sec.

Then, the minimum time t after shutdown to be used in equations (2.1-4) and (2.1-6) is

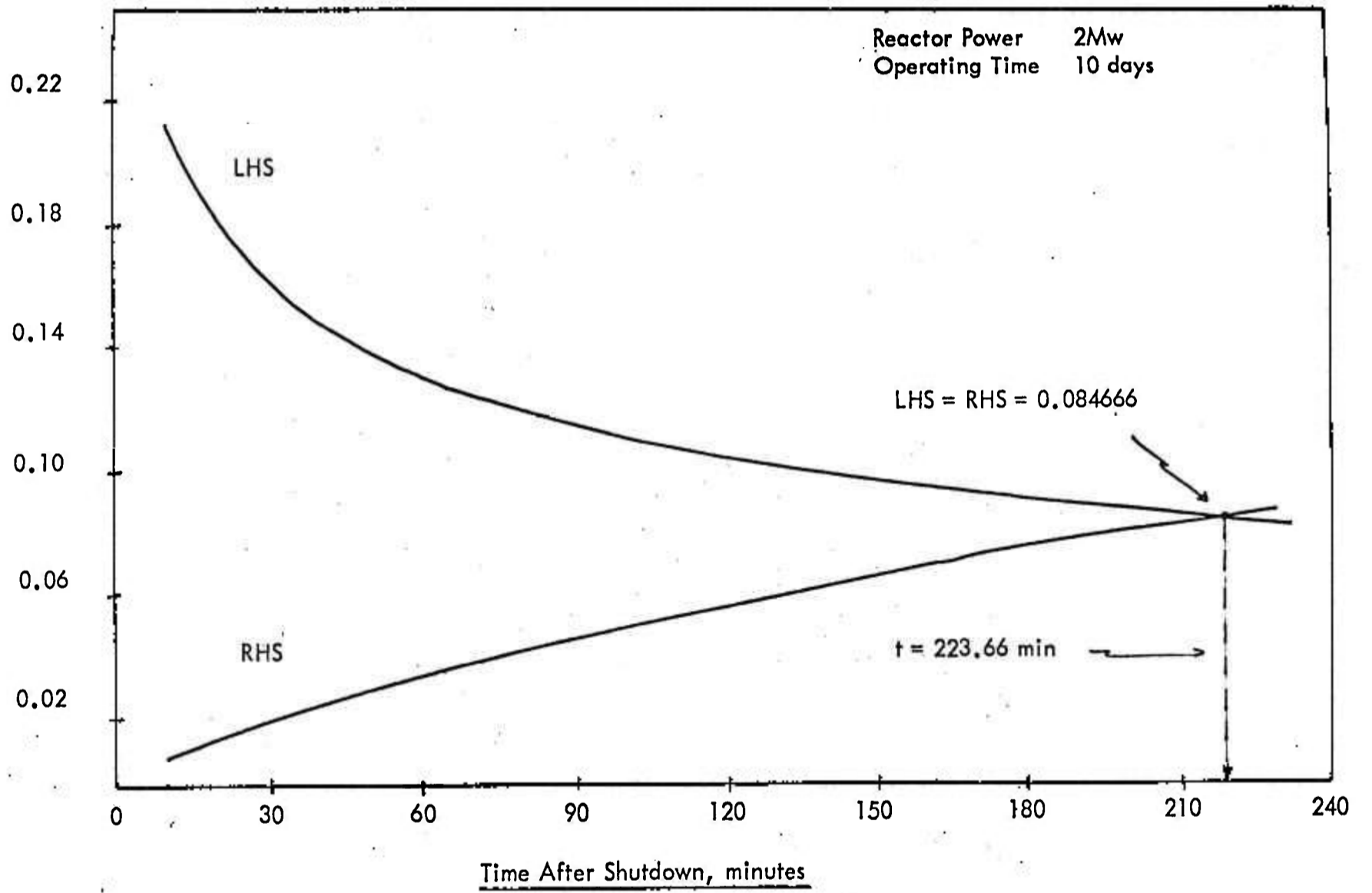
$$\begin{aligned} t &= 684.47 - 90 \\ &= 594.47 \text{ min} \\ &\approx 600 \text{ sec} \end{aligned}$$

Equating equations (2.1-4) and (2.1-6) yields

Figure (2.1-1)

LHS and RHS of Equation (2.1-7) vs Time After Shutdown

LHS and RHS of Equation (2.1-7)



$$4.3 P [t^{-0.2} - (t+T)^{-0.2}] = 2.78 \times 10^{-4} P [t^{0.8} - (t+T)^{0.8} + T^{0.8}]$$

or

$$[t^{-0.2} - (t+T)^{-0.2}] = 6.47 \times 10^{-5} [t^{0.8} - (t+T)^{0.8} + T^{0.8}] \quad (2.1-7)$$

By plotting the left hand side (LHS) and the right hand side (RHS) of equation (2.1-7) as a function of the time after shutdown and using an operating time of 10 days, the time at which the maximum temperature rise is approached will be given by the intersecting point, that is, when LHS=RHS. Such a plot is given in Fig. (2.1-1) and it is observed that LHS=RHS=0.084666 when $t = 223.66$ min. Using this value of t in either equation (2.1-4) or (2.1-6) and a power level of 2×10^3 kw the maximum temperature rise is $728.13^\circ F$. Assuming that the temperature at the bottom of the core is $200^\circ F$, then the maximum temperature at the center of the fuel plate is $T_c = \Delta T_{max} + 200^\circ F = 928.13^\circ F$.

A graphical representation of T_c vs Power Level is given in Fig. (2.1-2). From this figure it is observed that the maximum safe operating power level before melting occurs ($1200^\circ F$) following a LOCA is 2.58 Mw.

2.2. Gamma Dose Rate from Uncovered Core:

The lack of shielding water would produce a high-intensity radiation field over the uncovered core. The amount of gamma activity in the core can be calculated from the equation [3]

$$A_\gamma = 0.7 P [t^{-0.2} - (t+T)^{-0.2}] \quad (2.2-1)$$

where

A_γ = gamma activity, curies.

P = power level, watts

t = 600 sec.

The gamma activity after a shutdown time of 600 sec., an operating time of 10 days and for a power level of 2 Mw is $A_{\gamma} = 2.9 \times 10^6 \text{ Ci}$. A crude idea of the value of the exposure rate for a person located just above the core, standing on the reactor bridge can be obtained. In doing so, it will be assumed that the reactor is a point source which emits radiation isotropically and that there is no attenuation between the uncovered core and the bridge.

First, it is necessary to evaluate the gamma energy emission by means of the equation [4]:

$$\gamma\text{-energy emission} = 3.7 \times 10^{10} \times 2.9 \times 10^6 \text{ Ci} \times E_{\gamma}, \frac{\text{MeV}}{\text{sec}} \quad (2.2-2)$$

In order to apply equation (2.2-2) the energy of the gamma rays E_{γ} has to be known. In an experiment performed at the Livermore Pool Type Reactor (LPTR) for determining the radiation levels at different points within and outside of the reactor containment following drainage of the light-water-moderator coolant, it was determined by absorption techniques and pulse height analysis that the effective energy of the gamma radiation was about 150 kev [3]. Hence, by using this value in equation (2.2-2), the gamma energy emission is

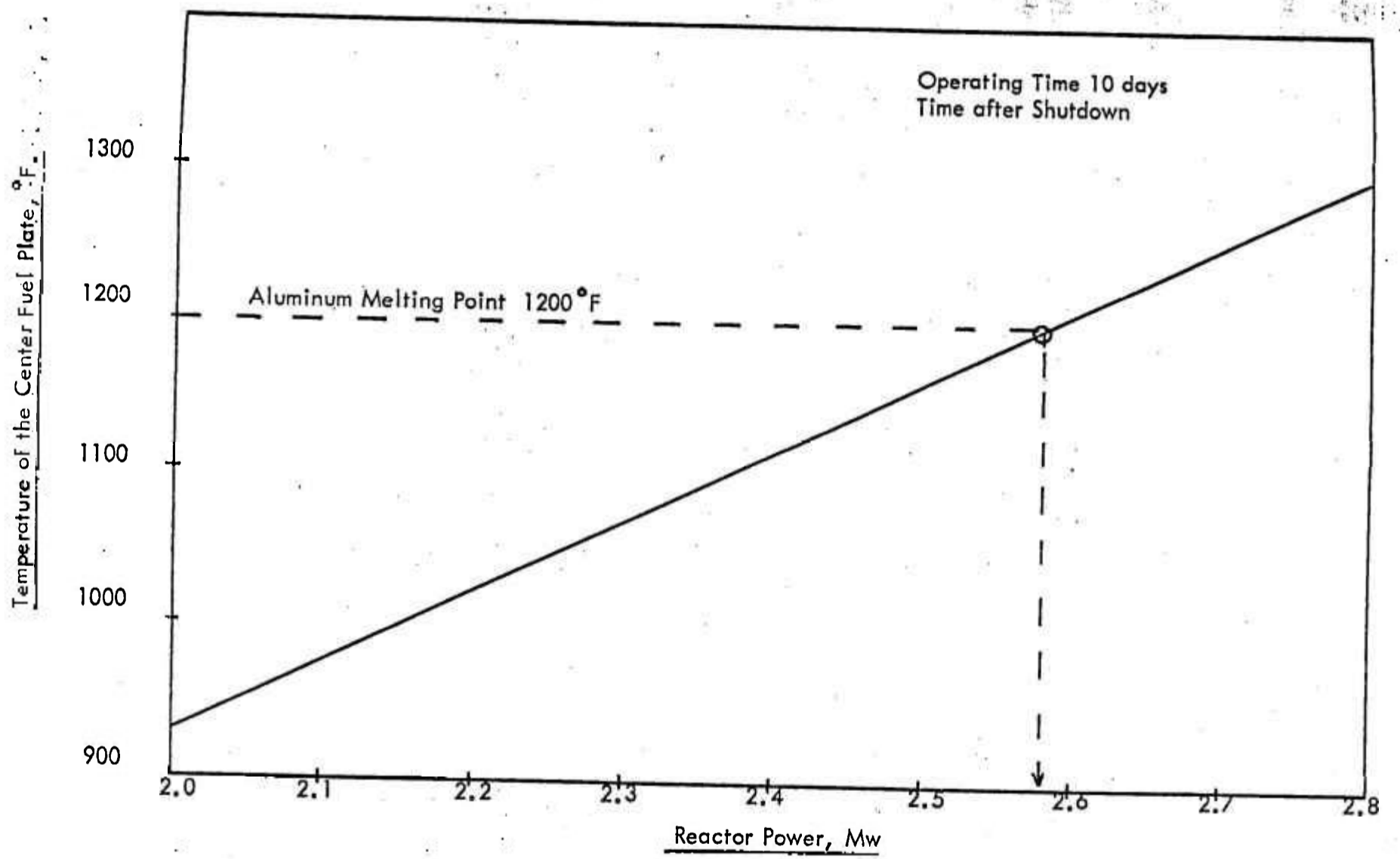
$$\gamma\text{-energy emission} = 1.6095 \times 10^{16} \frac{\text{MeV}}{\text{sec}}$$

The gamma-ray flux, ϕ_{γ} , at a distance, 12-22 ft = 670.56 cm (at the bridge), away from the point source is

$$\phi_{\gamma} = \frac{1.6095 \times 10^{16}}{4\pi \times (670.56)^2} = 2.8484 \times 10^9 \frac{\text{MeV}}{\text{cm}^2 \text{sec}}$$

From Fig. 9.2 in reference [4] the gamma-ray flux necessary to produce a exposure rate of 1 mr/hr for photons of energy 0.15 Mev is $6.5 \times 10^2 \text{ Mev/cm}^2 \text{sec}$, hence the exposure rate at 670.56 cm above the reactor core is 4380 R/hr.

Maximum Temperature at the Center of the Fuel Plate vs. Reactor Power



CHAPTER 3
ACCIDENTS DUE TO REACTIVITY INSERTIONS

A reactivity accident takes place whenever reactivity is added to a reactor in an uncontrolled manner and at a rate sufficient to initiate a safety system power level trip.

There are two possible ways in which changes of reactivity can occur in a reactor, those are

1. Insertion of reactivity at startup of operation.
2. Rapid insertion of reactivity (step) as a consequence of experimental facility failure, malfunction of some component, or misoperation of the reactor while at power.

3.1 Insertion of Reactivity at Startup:

This incident has been defined as one in which all of the shim safety rods are withdrawn from the core at their maximum rate of travel.

It will be assumed that all of the control and safety instrumentation fails with the exception of the level safety trips. Under these circumstances and unless the reactor is self-shutdown by an intrinsic mechanism such as the temperature or void coefficient, the power level is increased in an exponential manner until the level safety trip produces a reactor scram. The FNR is scrammed when the level exceeds 120% of the maximum operating power level (2 Mw) and/or for periods less than 5 seconds^[5].

It will be also assumed that after the level of 2.4 Mw is reached the shim safety rods will continue out during 50 MSEC and then fall into the core in 450 MSEC. These values are Technical Specification limits which are periodically verified.

An approximate mathematical analysis of startup incidents has already been studied by Hurwitz^[6] and Akcasu^[7]. The assumptions that were made originally by Hurwitz will be outlined and the formulas obtained by Akcasu (in regions 1 and 2 below) will be applied in order to better understand the subsequent analysis.

First, it is assumed that the reactivity is far below critical at a value of

shutdown reactivity of $\rho_0 \Delta k/k$ and that an external source of S_0 neutrons maintain the power level at the minimum value that could exist in the reactor, that is, at the shutdown power, P_s . With these initial conditions the reactor is at steady-state prior to time $t=0$. At time $t=0$ there is a linear reactivity insertion of the form

$$\rho(t) = -\rho_0 + r t \quad (3.1-1)$$

where

$$\rho(t) = \text{reactivity at any time } (t > 0), \Delta k/k$$

$$\rho_0 = \text{shutdown reactivity, } \Delta k/k$$

$$r = \text{rate of reactivity insertion } (d\rho/dt), \frac{\Delta k/k}{\text{sec}}$$

$$t = \text{time after insertion of reactivity, sec.}$$

The history of the transient power occurring for $t > 0$ has been divided in the following three intervals:

1. In the first interval $0 \leq t \leq t_d$, where t_d is the time at which delayed criticality is approached, the reactivity increases from $\rho = -\rho_0$ to $\rho = 0$ and a build-up of the power level from the shutdown value, P_s , to delayed power, P_d , takes place.
2. In the interval $t_d \leq t \leq t_r$, where t_r is the time

at which trip level receives the signal to shut the reactor down, the reactivity increases above delayed critical at a uniform rate (equation (3.1-1)) while the power level increases from P_d to trip power, P_T . Since this increase in power is rapid, the reactor period becomes short. Most of the power increase during the transient takes place in this interval.

3. In the third interval $t > t_T$ the safety channels have been tripped and the scram begins to reduce reactivity. Most of the energy generated takes place in this interval. Hence, to evaluate the total energy released it is necessary to know the way in which the reactivity reduction varies with time. In most applications, the safety system is designed so that the time required to return the reactor to a subcritical state is short compared to the period which has been attained at t_T . Under this condition the total energy generation will not exceed in order of magnitude the product of the trip level and the time required for the reactivity to be reduced to delayed critical. If the maximum reactivity is above prompt critical, the total energy generation will be more nearly equal to the product of the maximum power and the time required for the reactivity to be reduced to prompt critical, since the decrease in power will begin when the reactivity has fallen below prompt criticality because of the small concentration of delayed neutron emitters.

3.1.1 Approximate Mathematical Models:

- The behavior of the transient power level in the first and second intervals as treated in reference (7) follows.

3.1.1.1 First Interval $0 \leq t \leq t_d$:

Because the reactivities are far below prompt critical, the prompt-jump approximation and the one-delayed-neutron-group model with the group parameters

$\beta^{(1)} = \beta =$ effective delayed neutron fraction, 0.00755,
for U-235

and

$$\lambda^{(1)} = \bar{\lambda} \equiv \frac{\beta}{\sum_{i=1}^6 \beta_i / \lambda_i} = 0.08123 \text{ sec}^{-1}$$

has been used (the values of λ_i and β_i are given in table (3.1.1.1-1)).

Table (3.1.1.1-1)

Delayed Neutron Fractions, β_i , and Decay Constants, λ_i , for U-235 and Six-Delayed Neutron Groups

| Delayed Neutron Group | Delayed Neutron Fraction $\beta_i, \%$ | Delayed Neutron Decay Constant λ_i, sec | β_i / λ_i sec |
|-----------------------|---|---|--|
| 1 | 0.02567 | 0.1250 | 0.0205 |
| 2 | 0.16610 | 0.0315 | 0.0527 |
| 3 | 0.21910 | 0.1537 | 0.0139 |
| 4 | 0.24085 | 0.4560 | 0.0053 |
| 5 | 0.08456 | 1.6120 | 0.000525 |
| 6 | 0.02492 | 13.8629 | 0.000018 |
| | $\beta = \sum_{i=1}^6 \beta_i = 0.755$ | | $\sum_{i=1}^6 \beta_i / \lambda_i = 0.07294$ |

A practical condition for the validity of the prompt-jump approximation is that

$$(1 - \rho/\beta) \gg \left[\frac{\bar{\lambda} \ell}{\beta} \right]^{1/2}$$

where

$$\ell = \text{prompt neutron generation life-time, } 1.04 \times 10^{-4} \text{ sec.}$$

For the ramp reactivity insertion as given by equation (3.1-1), the above condition becomes

$$\beta + \rho_0 - r t \gg (\beta \bar{\lambda} \ell)^{1/2} \quad (3.1.1.1-1)$$

It will be shown later that this condition is in fact satisfied.

The evaluation of the power level at delayed critical, P_d , can be obtained by solving the differential equation (7)

$$\frac{dP}{dt} = P \left\{ \frac{r - \rho_0 \bar{\lambda} + \bar{\lambda} r t}{\beta (1 + \rho_0/\beta - r t/\beta)} \right\} + \frac{\ell \bar{\lambda}}{\beta} \frac{s_0}{(1 + \rho_0/\beta - r t/\beta)} \quad (3.1.1.1-2)$$

subject to the initial condition $P(0) = P_s$ and P_s given by

$$P_s = \frac{\ell s_0}{\rho_0} \quad (3.1.1.1-3)$$

The solution of (3.1.1.1-2) at delayed critical, $t_d = \rho_0/r$, is

$$P_d = \left[\exp\left(-\frac{\bar{\lambda} \rho_0}{r}\right) \right] \left(1 + \frac{\rho_0}{\beta}\right)^{\bar{\lambda}/r} \left\{ \rho_0 + \frac{l \bar{\lambda}}{\beta} \right.$$

$$\frac{S_0}{[1 + \rho_0/\beta]} \times \int_0^{\rho_0/r} dt' [\exp(\bar{\lambda} t')] \times$$

$$\left. \left(1 - \frac{rt'}{\rho_0 + \rho_0}\right)^{(\bar{\lambda}(\beta/r) - 1)} \right\} + \frac{l S_0}{\beta} \quad (3.1.1.1-4)$$

By defining the delayed neutron build-up factor, ξ , as

$$\xi \equiv \frac{P_d \beta}{S_0 l} \quad (3.1.1.1-5)$$

and solving (3.1.1.1-4) in terms of ξ after the change of variable $x = \bar{\lambda} t'$ the result is

$$\xi = 1 + \left[\frac{(1 + \rho_0/\beta)^{\bar{\lambda}/r}}{\rho_0/\beta} \right] e^{-\bar{\lambda} \rho_0/r} + \int_0^{\bar{\lambda} \rho_0/r} dx \left\{ e^x \right.$$

$$\left. \left[1 + \frac{\rho_0}{\beta} - \left(\frac{x r}{\bar{\lambda} \beta}\right)^{(\bar{\lambda} \beta/r) - 1} \right] e^{-\bar{\lambda} \rho_0/r} \right\} \quad (3.1.1.1-6)$$

Since the shutdown reactivity ρ_0 for the FNR is 0.035 and for $\beta = 0.00755$, unity can be neglected as compared to the ratio ρ_0/β in the above equation. Further, for slow

rates of reactivity addition such that $\nu \ll \bar{\lambda} \rho_0$ (it will be shown later that it is the case in this problem) the second term of the above equation can be neglected and by replacing the upper limit of integration by infinity this equation reduces to

$$\xi = \int_0^{\infty} dx \left\{ e^{-x} \left(1 + \frac{x r}{\bar{\lambda} \beta} \right)^{\bar{\lambda} \beta / r} \right\}$$

It has been shown that for large values of $\bar{\lambda} \beta / r$ this equation can be approximated as

$$\xi \approx \frac{\pi}{3} + \left(\frac{1}{2} \frac{\bar{\lambda}}{r} (\beta \pi) \right)^{1/2} \quad (3.1.1.1-7)$$

By combining equations (3.1.1.1-3) and (3.1.1.1-5) and solving for P_d , the power level at delayed critical is

$$P_d = \frac{\rho_0}{\beta} \xi P_s \quad (3.1.1.1-8)$$

3.1.1.2 Second Interval $t_d \leq t \leq t_r$:

For slow insertions of reactivity the power level in this region can be obtained from the equation (7)

$$P(t) = P_0 F(\rho) \exp \left\{ \frac{1}{r} \int_0^{\rho} \omega_0(\rho') d\rho' \right\} \quad (3.1.1.2-1)$$

where

$$P_0 = \frac{\rho_0}{\beta} \xi P_s, \quad \text{watts}$$

$$\omega_0(\rho) = \text{inverse reactor period, sec}^{-1}$$

$$F(\rho) = \left\{ \left[l + \sum_{i=1}^6 (\beta_i / \lambda_i) \right] / \left[l + \sum_{i=1}^6 \frac{\beta_i \lambda_i}{(\lambda_i + \omega_0)^2} \right] \right\}^{1/2} \quad (3.1.1.2-2)$$

The integral in the exponent of equation (3.1.1.2-1) represents the integrated inverse reactor period from delayed critical up to a reactivity, ρ , and it can be written as

$$\begin{aligned} \int_0^{\rho} \omega_0(\rho') d\rho' &= \int_0^{\omega_0} d\omega \left[\omega \frac{d\rho}{d\omega} \right] \\ &= \omega_0 \rho - \int_0^{\omega_0} \rho(\omega) d\omega \end{aligned} \quad (3.1.1.2-3)$$

where

$$\omega_0 = \text{instantaneous inverse reactor period, sec}^{-1}$$

If the reactivity ρ is expressed explicitly by the inhour equation (7), namely

$$\rho(\omega_0) = \omega_0 \left\{ l + \sum_{i=1}^6 \frac{\beta_i}{\lambda_i + \omega_0} \right\} \quad (3.1.1.2-4)$$

then equation (3.1.1.2-3) becomes

$$\begin{aligned} \int_0^{\rho} \omega(\rho') d\rho' &= \frac{\omega_0^2 l}{2} + \sum_{i=1}^6 \beta_i \lambda_i \left\{ \right. \\ &\quad \left. \ln \left(1 + \frac{\omega_0}{\lambda_i} \right) - \frac{\omega_0}{\lambda_i + \omega_0} \right\} \end{aligned} \quad (3.1.1.2-5)$$

Substitution of P_0 , (3.1.1.2-2) and (3.2.2.2-5) into (3.1.1.2-1) yields

$$P(t) = \frac{P_0}{\beta} \xi P_s \left\{ \left[\lambda + \sum_{i=1}^6 (\beta_i \lambda_i) \right] / \left[\lambda + \sum_{i=1}^6 \frac{\beta_i \lambda_i}{(\lambda_i + \omega_0)^2} \right] \right\}^{1/2} \times$$

$$\times \frac{\omega_0^2 \lambda}{2} + \sum_{i=1}^6 \beta_i \lambda_i \left\{ \ln \left(1 + \frac{\omega_0}{\lambda_i} \right) - \frac{\omega_0}{\lambda_i + \omega_0} \right\} \quad (3.1.1.2-6)$$

3.1.2 Power Levels and Reactor Period Calculations:

With the background given in the preceding section the power level for the first and second intervals and the reactor period at trip level can be evaluated.

The FNR has 3-shim safety rods, 1% Boron in stainless steel, with an active length of 24 inch (9). The total worth of the rods is 0.075 $\Delta k/k$ and they travel with a normal speed of 24"/9 min. The average rate of reactivity insertion is 0.0139% $\Delta k/k/sec$. Assuming that the greatest worth is at 12" the maximum rate of reactivity insertion, r , due to the rods is 0.0277% $\Delta k/k/sec$.

3.1.2.1 Interval $0 \leq t \leq t_d$:

From equation (3.1.1.1-7) the value of ξ is

$$\xi = \frac{2}{3} + \left(\frac{1}{2} \frac{0.08123}{0.0277\%} \times 0.755\% \pi \right)^{1/2} = 2.53$$

From equation (3.1.1.1-8) the power level at delayed critical is

$$P_d = \frac{2.53 \times 0.035 \times 0.8}{0.00755} = 9.39 \text{ watts} \quad (\text{Footnote})$$

set $\beta(t_d) = 0$ in equation (3.1.1) and solve for t_d , the time at which delayed criticality is reached

$$t_d = \frac{P_0}{r} = \frac{3.5\% \Delta k/k}{0.0277\% \frac{\Delta k/k}{sec}} = 126.35 \text{ sec}$$

Notice that the condition (3.1.1.1-1), for the validity

Footnote: The value of the shutdown power $P_s = 0.8$ watts was obtained in the "Control Rod Worth Calibration and shutdown Power at the FNR" experiment performed in the course NE-445, Fall 1976.

of the prompt-jump approximation is in fact satisfied for any time in this interval, i.e., for $t=0$ it gives $3.58 \gg 0.00025$ and for $t=t_d$ gives $0.0075 \gg 0.00025$. Also notice that the value of the rate of reactivity addition satisfies $\rho \ll \bar{\lambda} \beta_0$, i.e., $0.0277\% \frac{\Delta k/k}{\text{sec}} \ll 0.29 \frac{\Delta k/k}{\text{sec}}$.

3.1.2.2 Interval $t_d \leq t \leq t_T$:

The power level can be obtained from equation (3.1.1.2-1) with the values of $F(p)$ and $\int_0^p \omega_0(p') dp'$, equations (3.1.1.2-1) and (3.1.1.2-5) respectively, as a function of the reactivity given by different values of the instantaneous inverse period through the inhour equation (3.1.1.2-4) and using the data in table (3.1.1.1-1). The values of $\rho(\omega)$, $F(p)$ and $\int_0^p \omega_0(p') dp'$ are included in tables (3.1.2.2-1) and (3.1.2.2-3) and plotted in figures (3.1.2.2-1) through (3.1.2.2-3) respectively.

Table (3.1.2.2-1)

Solution of Inhour Equation for U-235 and 6-Delayed Neutron Groups.

| Inverse Period $\omega_0, \text{sec}^{-1}$ | Reactivity $\rho, \% \Delta k/k$ | $\omega_0 \sum_{i=1}^6 \beta_i / (\lambda_i + \omega_0)$ |
|---|-------------------------------------|--|
| 10^{-3} | 9.000×10^{-3} | 9.000×10^{-5} |
| 10^{-2} | 7.020×10^{-2} | 7.010×10^{-4} |
| 10^{-1} | 0.282 | 2.810×10^{-3} |
| 1 | 0.579 | 5.690×10^{-3} |
| 5 | 0.734 | 6.820×10^{-3} |
| 10 | 0.808 | 7.040×10^{-3} |
| 10^2 | 1.800 | 7.580×10^{-3} |
| 10^3 | 11.100 | 7.300×10^{-3} |

Reactivity vs. Inverse Reactor Period for U (6-Delayed Neutron Groups)

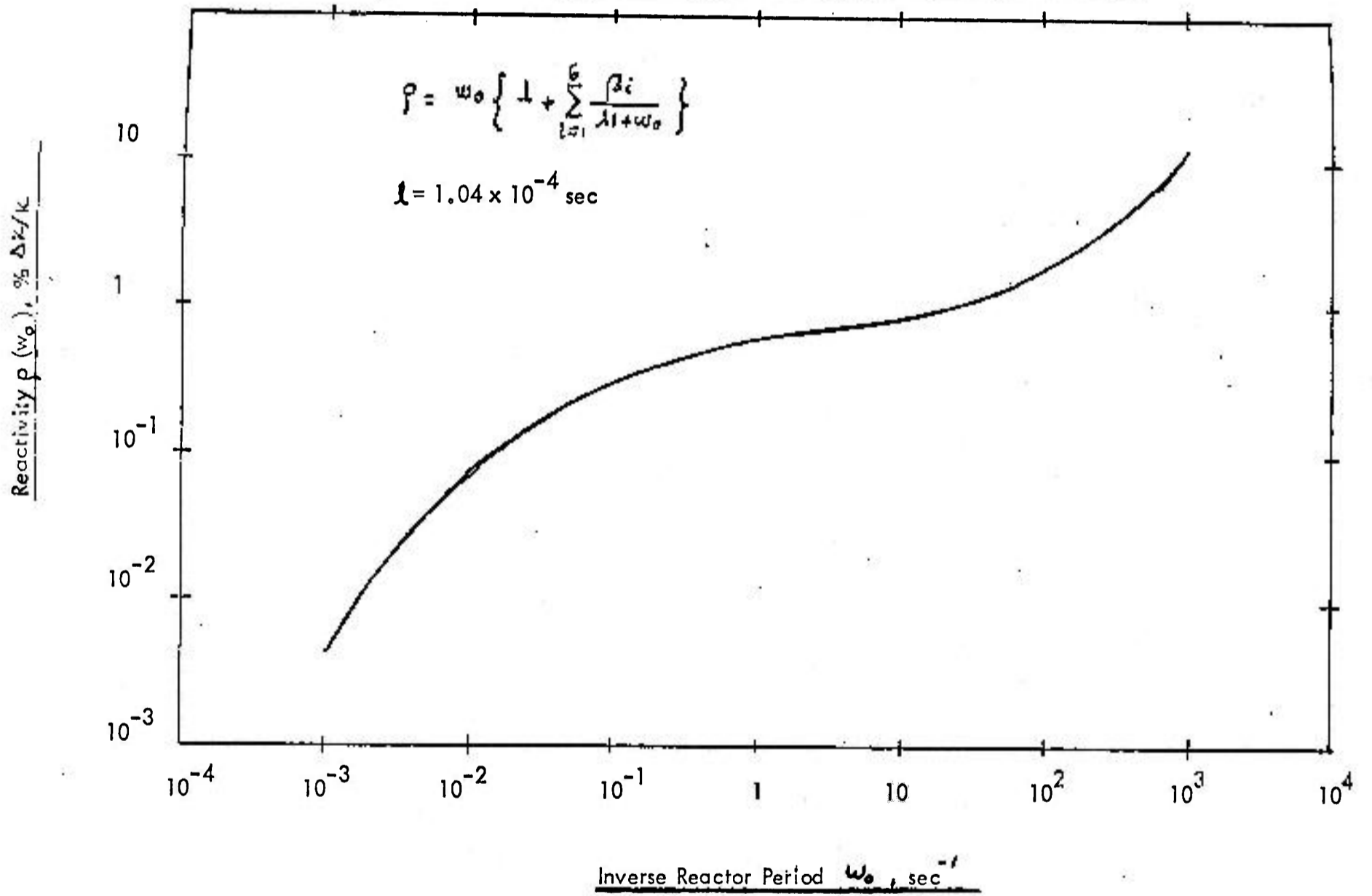


Table (3.1.2.2-2)

Values of F (ρ) for U-235 and 6 - Delayed Neutron Groups

| Reactivity $\rho, \% \Delta k/k$ | $\sum_{i=1}^6 (\beta_i \lambda_i) / (\lambda_i + \omega_0)^2$ | F (ρ) |
|-------------------------------------|---|--------------|
| 9.000×10^{-3} | 0.0866 | 1.0358 |
| 7.020×10^{-2} | 0.0545 | 1.3052 |
| 0.282 | 0.0124 | 2.7297 |
| 0.579 | 0.0010 | 9.1137 |
| 0.734 | 8.26×10^{-5} | 22.3 |
| 0.808 | 2.39×10^{-5} | 27.0 |
| 1.8 | 1.1×10^{-6} | 29.8 |
| 11.1 | 1.13×10^{-8} | 29.9 |

F(p) vs Reactivity for ^{235}U and 6-Delayed Neutron Groups

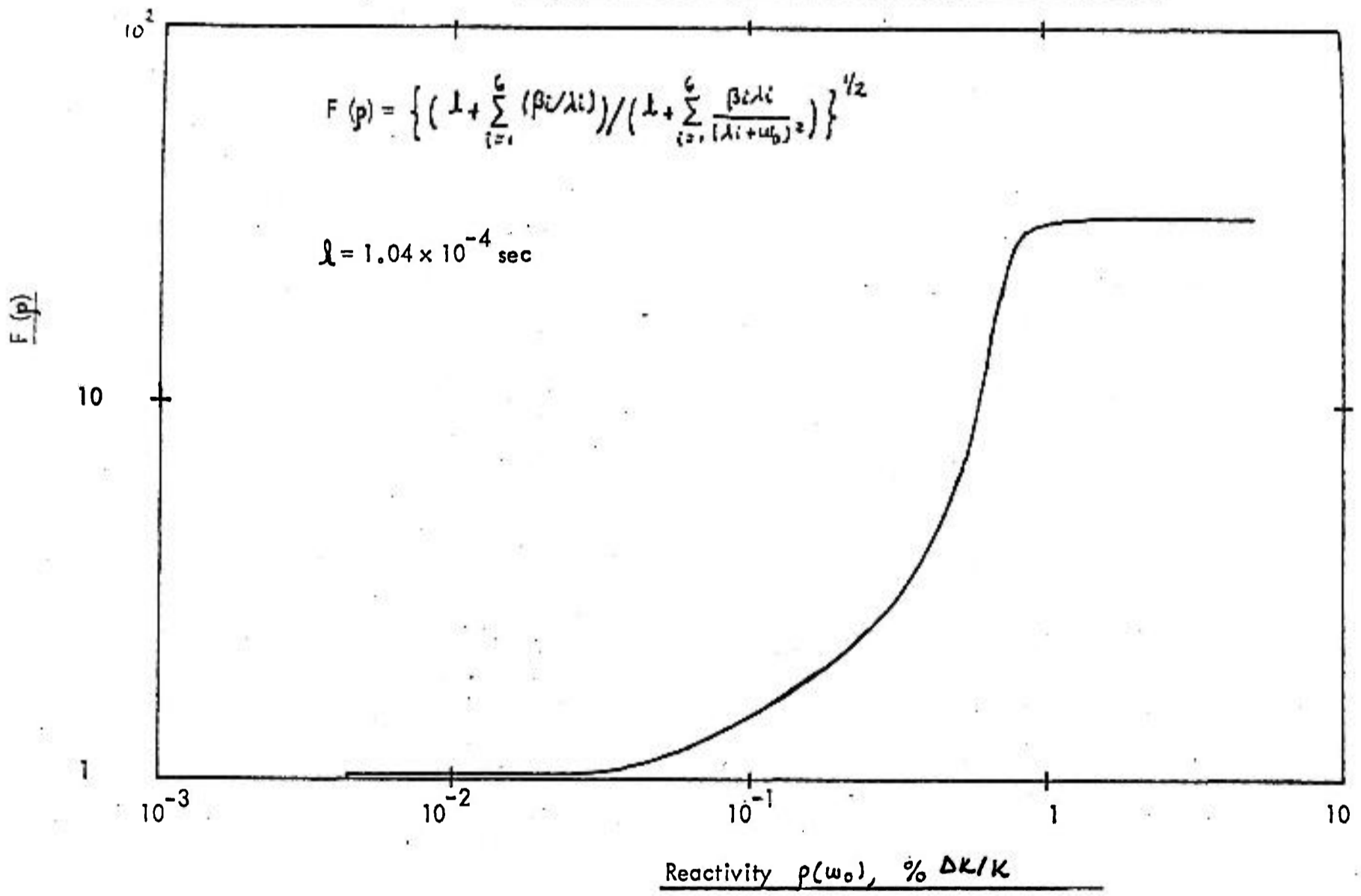


Table (3.1.2.2-3)
 Values of $\int_0^{\beta} \omega_0(p') dp'$ for U-235 and 6-Delayed Neutron Groups

| Reactivity $\beta, \% \Delta k/k$ | Σ^* sec ⁻¹ | $\omega_0^2 L/2$ sec ⁻¹ | $\int_0^{\beta} \omega_0(p') dp'$ sec ⁻¹ |
|--------------------------------------|---------------------------------|---------------------------------------|--|
| 9.000×10^{-3} | 4.43×10^{-8} | 5.2×10^{-11} | 4.435×10^{-8} |
| 7.020×10^{-2} | 3.2×10^{-6} | 5.2×10^{-9} | 3.205×10^{-6} |
| 0.282 | 9.68×10^{-5} | 5.2×10^{-7} | 9.732×10^{-5} |
| 0.579 | 1.18×10^{-3} | 5.2×10^{-5} | 1.232×10^{-3} |
| 0.734 | 3.67×10^{-3} | 1.3×10^{-3} | 4.970×10^{-3} |
| 0.808 | 5.22×10^{-3} | 5.2×10^{-3} | 1.042×10^{-2} |
| 1.8 | 1.13×10^{-2} | 5.2×10^{-1} | 5.313×10^{-1} |
| 11.1 | 1.78×10^{-2} | 5.2×10 | 5.202×10 |

$$* \Sigma = \sum_{i=1}^6 \beta_i \lambda_i \left\{ \ln \left(1 + \frac{\omega_0}{\lambda_i} \right) - \frac{\omega_0}{\lambda_i + \omega_0} \right\}$$

The transient power level values, equation (3.1.1.2-1), using interpolated values of $F(p)$ and $\int_0^{\beta} \omega_0(p') dp'$ from their respective figures are included in table (3.1.2.2-4) and plotted in Fig. (3.1.2.2-4).

Figure (3.1.2.2-3)

Reactivity vs. $\int_0^{\rho} \omega_0(\rho') d\rho'$ for ^{235}U and 6-Delayed Neutron Groups

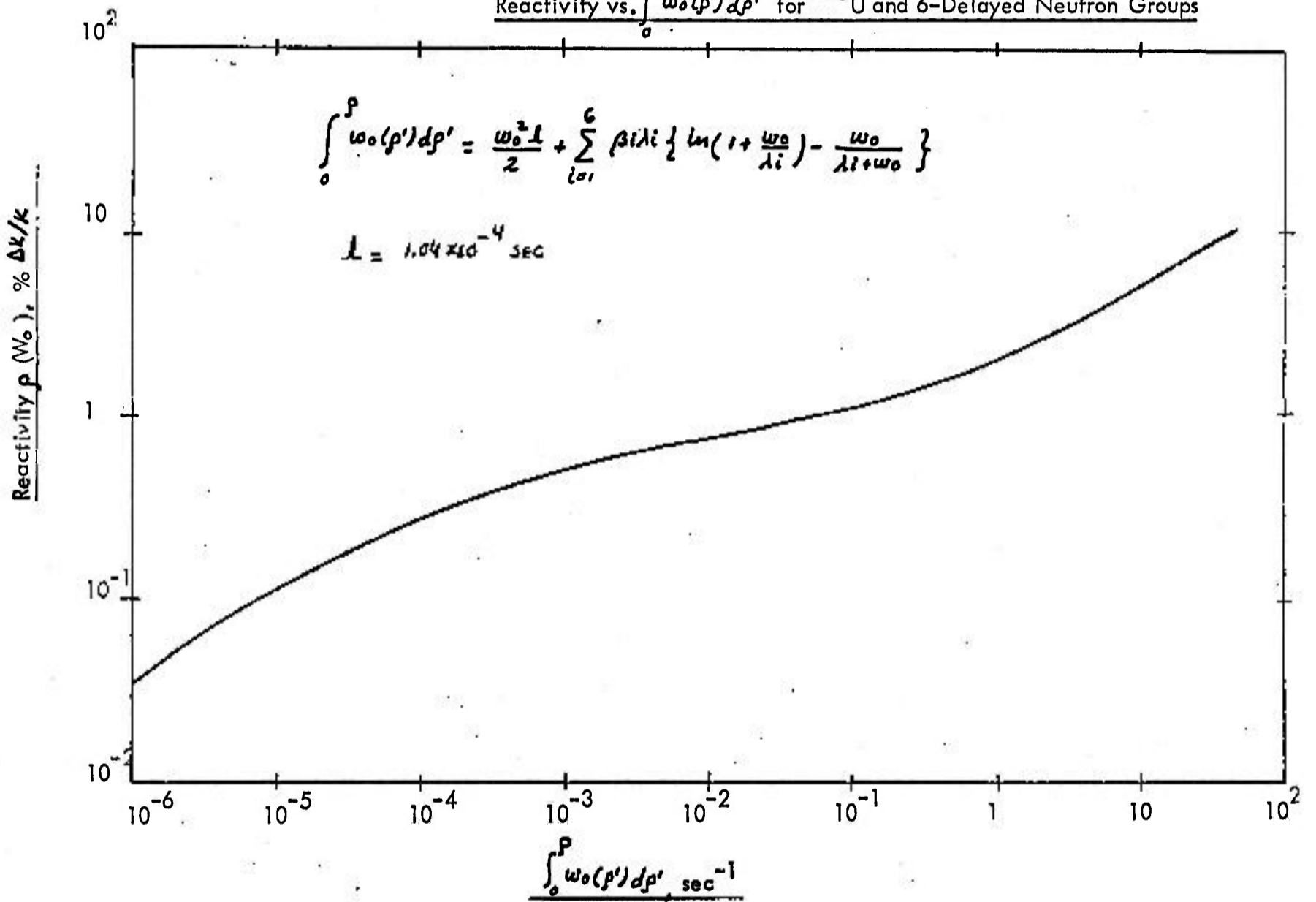


Table (3.1.2.2-4)
Values of Power Level as a Function of Excess Reactivity

| Reactivity $\rho, \% \Delta k/k$ | F (ρ) | $\int_0^{\rho} w_b(\rho') d\rho'$ sec ⁻¹ | P (t) watts |
|-------------------------------------|--------------|--|------------------------|
| 9.000×10^{-3} | 1.0358 | 4.44×10^{-8} | 9.73 |
| 7.02×10^{-2} | 1.3052 | 3.21×10^{-6} | 1.24×10^4 |
| 0.282 | 2.7297 | 9.79×10^{-5} | 3.65×10^4 |
| 0.579 | 9.1137 | 1.28×10^{-3} | 8.69×10^3 |
| 0.650 | 15 | 2.5×10^{-3} | 1.17×10^6 |
| 0.700 | 18 | 3.0×10^{-3} | 8.54×10^6 |
| 0.720 | 21 | 3.5×10^{-3} | 6.058×10^7 |
| 0.734 | 22.3 | 4.97×10^{-3} | 1.297×10^{10} |
| 0.808 | 7 | 1.56×10^{-2} | 7.286×10^{26} |

Fig. (3.1.2.2-4) shows that when the trip level is approached the excess reactivity is about $\rho_T = 0.0067 \Delta k/k$. Knowing the value of ρ_T , it is possible to evaluate the reactor period $\bar{\omega}$ at t_T by taking the natural logarithm of equation (3.1.1.2-1), that is

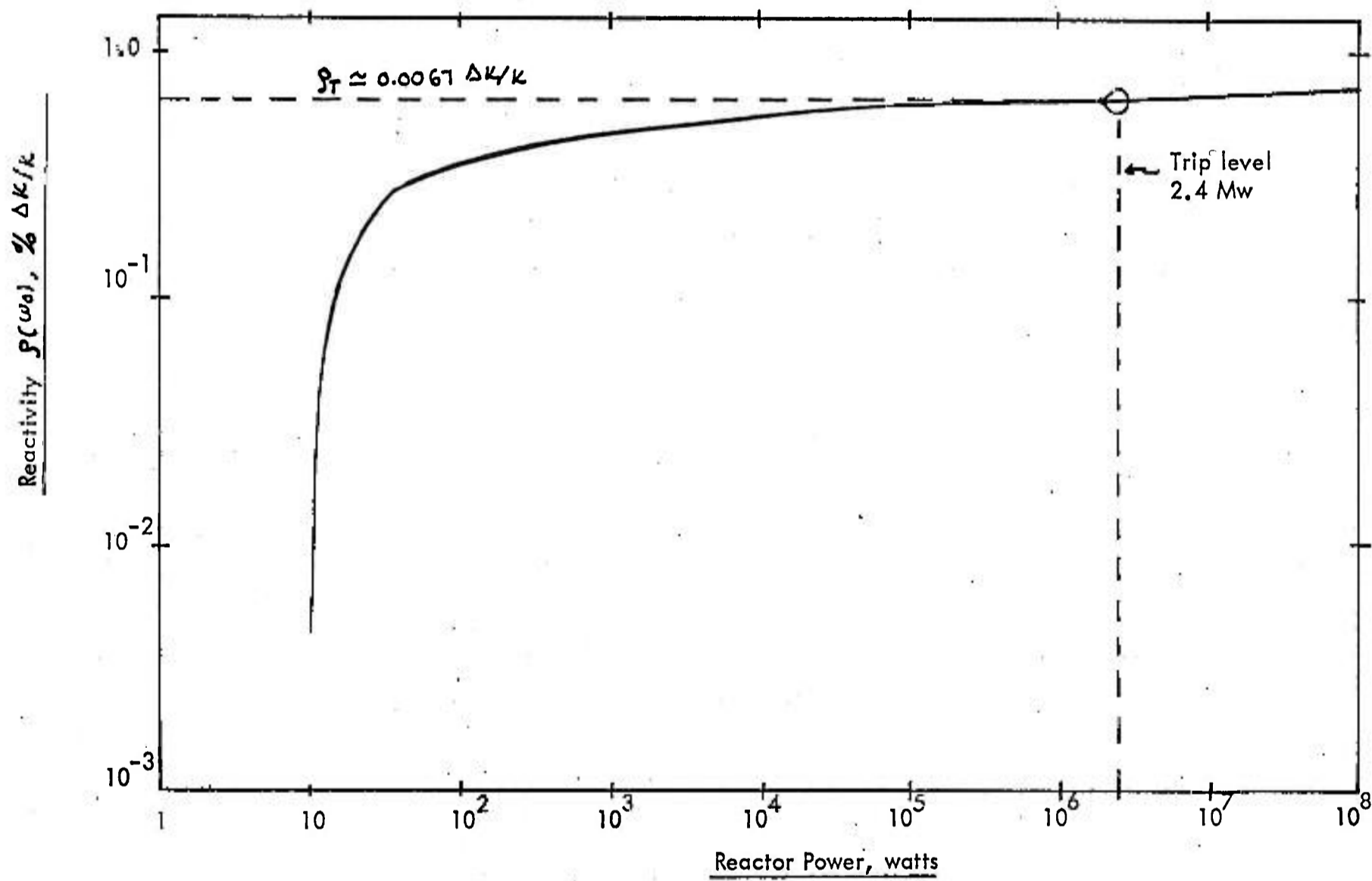
$$\int_0^{\rho_T} w(\rho') d\rho' = r \ln \frac{P_T}{P_0 F(\rho_T)} \quad (3.1.2.2-1)$$

The reciprocal of (3.1.2.2-1) is the reactor period at t_T .

A comparison of the values of $w_b^{1/2}$ and the Σ given in table (3.1.2.2-3) for a trip reactivity of $0.0067 \Delta k/k$ indicates that the later is about one order of magnitude greater than the former. Hence, equation (3.1.1.2-5) can be approximated by writing

Figure (3.1.2.2-4)

Reactivity vs Power Level



$$\int_0^{\beta_T} \omega(\beta') d\beta' \approx \frac{\omega_T^2 l}{2} + 10 \frac{\omega_T^2 l}{2}$$
$$= 5 \omega_T^2 l$$

Substitution of this value into equation (3.1.2.2-1) yields:

$$5 \omega_T^2 l = r \ln \frac{\beta_T}{\beta_0 F(\beta_T)}$$

and solving for the instantaneous inverse reactor period ω_T

$$\omega_T = \left(\frac{r}{5l} \right)^{1/2} \left\{ \ln \frac{\beta_T}{\beta_0 F(\beta_T)} \right\}^{1/2}$$
$$= \left(\frac{0.000277}{5 \times 1.04 \times 10^{-4}} \right)^{1/2} \left(\ln \frac{2.4 \times 10^6}{9.39 \times 16} \right)^{1/2}$$
$$= 2.27 \text{ sec}^{-1}$$

The reactor period at trip level is

$$\tau = \frac{1}{\omega_T} = 440 \text{ msec}$$

The time at which the signal for initiating the scram is received can be obtained from equation (3.1-1) with $\beta(t_T) = \beta_T = 0.0067 \Delta k/k$, $\beta_0 = 0.035 \Delta k/k$ and $r = 0.0277\% \Delta k/k$, this value is

$$t_T = \frac{0.0067 + 0.035}{0.000277} = 150.54 \text{ SEC}$$

Notice that during the elapsed time between delayed critical and t_T , 24.19 sec, the power increases by a factor of 10^6 while in the first interval (126.35 sec) it increases a single order of magnitude.

3.1.2.3 Interval $t > t_T$:

If no reactivity compensation other than that due to the shim rods is added to the system and if it is assumed that after the trip level the power continues increasing at a constant period of 440 msec until the safety mechanism begins to actuate (50 msec), the maximum power approached during the excursion is (10)

$$\begin{aligned} P_m &= P_T e^{t/\tau} \\ &= 2.4 e^{50/400} \\ &= 2.69 \text{ Mw} \end{aligned}$$

The time response of the FNR scram system and the shim rods is 24"/450 msec. The negative rate of reactivity insertion, r' , is

$$r' = \frac{0.075 \Delta K/K}{0.45 \text{ SEC}} = 0.1667 \frac{\Delta K/K}{\text{SEC}}$$

The time required to reduce reactivity from $\rho_T = 0.0067 \Delta K/K$ to delayed critical $\rho = 0$ is, from (3.1-1),

$$t_r = \frac{0.0067}{0.1667} = 0.0402 \text{ SEC.}$$

Since $t_r < \tau$ then according to the arguments given in section 3.1 the energy generation, \mathcal{E} , in the third interval is given as

$$\begin{aligned} \epsilon &= P_m t_r = 2.69 \text{ Mw} \times 0.0402 \text{ SEC} \\ &= 0.1081 \text{ Mw-sec} \end{aligned}$$

The values for the period and energy release are significantly different from the typical ones that have been measured during the study of nuclear power excursions such as the ones performed in the Borax (11) and Spert-1 (12) destructive tests. Typical period values are of the order of a few milliseconds (< 10 msec) and are obtained by inserting reactivities of several orders of β instantaneously. In one of the tests at Spert-1 it was observed that periods as small as 4.6 msec released a total energy of 19 Mw-sec and the maximum fuel temperatures approached the limit of the aluminum melting point. The step insertion in this test was $0.0204 \Delta k/k$. In the shortest period test (3.2 msec) the melting of the core was estimated to be about 8% in the fuel plates and a total of 35% of the core. The energy release was about 30 Mw-sec. Hence, the reactivity insertion dealt with in this analysis ($0.0277\% \Delta k/k/\text{SEC}$) is rather safe and conservative because no feed-back effects to compensate reactivity have been considered.

3.2 Step Reactivity Insertion:

The case in which a step reactivity insertion occurs is in general less realistic than the ramp insertion of reactivity because of the limitations inherent to the shim rod withdrawal mechanism. However, as an illustration, the consequences due to a rapid insertion of reactivity will be considered.

It will be assumed that the reactor is operating at a steady-state power level of 2 Mw and that it is critical prior to time $t=0$. At $t=0$ a sudden insertion of reactivity of $0.012 \Delta k/k$ occurs. This value corresponds to the maximum experimental worth allowed by Technical Specifications. Further, it will be assumed that when the reactor power reaches the trip level of 2.4 Mw, the safety mechanism is tripped and the shim rods remain out for 50 msec after which they fall down into the core at a speed of $24"/450$ msec.

The reactor period in the case of step reactivity insertions is customarily expressed as

$$\zeta = \frac{1}{\rho - \beta}$$

where all the symbols have already been defined and the reactivity is $\rho = 0.012 \Delta k/k$. Then, the numerical value for ζ becomes

$$\zeta = \frac{1.04 \times 10^{-4}}{0.012 - 0.00755} = 0.0234 \text{ SEC}$$

The power level up to trip level $P_T = 2.4 \text{ MW}$ can be written as

$$2.4 = 2 \text{ e}^{t_T/0.0234}$$

and solving for t_T

$$t_T = 0.0234 \ln \frac{2.4}{2} = 4.26 \text{ msec}$$

Since $\rho > \beta$ the energy released can be obtained as the product of the maximum power level times the time, t_{pc} , required to reduce the reactivity to prompt critical ($\rho = \beta$). The maximum power level, in analogy to the case of ramp insertion, is

$$P_{\max} = 2.4 \text{ e}^{0.05/0.0234} = 20.33 \text{ MW}$$

The time t_{pc} is

$$t_{pc} = \frac{\rho_{pc} - \rho_T}{-r'} = \frac{0.012 - 0.00755}{0.1667}$$

$$t_{pc} = 0.0267 \text{ sec}$$

and the energy release is

$$\begin{aligned} E &= P_{max} t_{pc} \\ &= 20.33 \times 26.7 \\ &= 0.5429 \text{ Mw-SEC.} \end{aligned}$$

Comparison of these results with the SPERT-1 3.2 msec period test indicates that even with this step insertion, no fuel damage will result.

CHAPTER 4
PRIMARY COOLING SYSTEM FAILURE

If a failure of the primary coolant pump occurs or if the primary flow rate is decreased for any reason, a reactor scram will be demanded by a loss of flow signal to the safety system. In this event the neutron density in the core will decrease rapidly and eventually will decay with a period of 80 seconds.

Since in this accident the core will always be covered with water the expected maximum fuel plate temperatures will not approach the values obtained in Chapter 2 considering the same operating conditions.

The analysis of this accident will be only concerned with the power history of the reactor after the scram function commences to actuate. It will be assumed that the reactor is critical and operating at a steady-state power level of 2Mw prior to $t = 0$. A sudden insertion of negative reactivity takes place at $t = 0$ and the final reactivity is the shutdown reactivity, that is, $-0.035 \Delta k/k$. Because of the short time behavior of the insertion of reactivity, the problem can be treated by using the prompt-drop approximation.

This approximation states that the drop in power from an initial steady-state value of P_1 to a final level of P_2 following a negative insertion of reactivity β_2 is given by (13)

$$\frac{P_2}{P_1} = \frac{\beta - \beta_1}{\beta - \beta_2} \quad (4.1)$$

where

β_1 = critical reactivity prior to $t = 0$, zero.

P_1 = 2 Mw

β_2 = -0.035

Solving for P_2 it becomes

$$P_2 = 2 \left\{ \frac{0.00755}{0.00755 + 0.035} \right\} = 0.3549 \text{ Mw.}$$

After this drop the power goes on a stable period corresponding to the first root of the inhour equation (3.1.1.2-4), that is, it is the inverse of the decay constant of the longest lived delayed neutron precursor ($\lambda = 0.0125 \text{ sec}^{-1}$). Hence, the shortest stable (negative) reactor period possible after the drop in power is 80 sec and the transient power behavior after the drop will be expressed by

$$P(t) = P_{dr} e^{-t/\tau} \quad (4.2)$$

where

$$P_{dr} = P_2 = \text{power level after drop, } 0.3549 \text{ Mw.}$$

If it is assumed that the reactor is shutdown when the power is reduced from $P_{dr} = 3.549 \times 10^6$ watts to $P_s = 0.8$ watts, then the minimum shutdown time is from equation (4.2) and with $P(t) = P_s$

$$t_s = -\tau \ln \frac{P_s}{P_{dr}} = 938.88 \text{ sec} = 15.65 \text{ min}$$

Because of the emission of gamma-rays from the fission products this time is in general prolonged.

CHAPTER 5
FUEL ELEMENT CLADDING FAILURE

Fuel element cladding failure might result from corrosion, erosion, mechanical defects, and local melting due to excessive temperatures. Since the first barrier to the release of fission products is the fuel element cladding, its failure would cause the leaching of the fission products from the fuel region due to the action of the primary coolant.

In Chapter 2 it was shown that no melting of the fuel element cladding would occur following a LOCA type accident. Whatever the cause of rupture is, fission products would be released to the pool water, if the core were still covered with water, and then to the reactor containment.

In this accident it will be assumed that the cladding fails due to defects in manufacture. The conditions under which the accident takes place will be treated in Chapter 7 while the public radiological consequences will be the subject of Chapter 9.

CHAPTER 6

FUEL ELEMENT BLOCKAGE

Fuel element blockage incidents have occurred in many operating reactors as a consequence of accidental introduction of foreign materials into the reactor core, such as neoprene, plastics and soft materials in general, which block the flow of water through the cooling channels or which coat their surfaces thus inhibiting heat transfer.

The amount of melted fuel due to such blockages has been found to be small, i.e., 12.4 g of U-235, contained in 134 g of alloy were lost at the Engineering Test Reactor (ETR) at Idaho Falls in a fuel element flow blockage accident (14). The release of activity in that accident was estimated to be about 6.4 curies to the atmosphere. 42 curies were released to the leaching pond as liquid waste. However, these results would be excessively conservative if applied to the FNR case since the ETR accident occurred while operating at a power level of 90 Mw.

In the case of research reactors, the Oak Ridge Research Reactor (ORR) fuel melting incident (15) demonstrated that detectable fluctuations began at power levels of 9 Mw and burnout at about 12 Mw. The fuel element involved in this incident was almost completely blocked at the top. Hence, if a similar blockage occurred at the FNR while operating at 2 Mw, it would not be likely to cause detectable fluctuations or melting.

FNR operating experience has shown that small period fluctuations due to the insertion of experiments with reactivity worths of the order $0.001 \Delta K/K$ and which are done slowly and carefully have produced the effect of fuel element blockage, i.e. decrease in neutron moderation as would happen if boiling occurred, and subsequent period scrams.

The FNR control rod is modelled as a hollow, aluminum void which occupies a volume of half an element. In fact the control rod is a water filled aluminum shell which occupies a much smaller volume. The reasoning that follows is therefore quite conservative. Control rod worth is $0.003 \Delta K/K$. It can be reasoned that since the control rod model is worth $0.003 \Delta K/K$ and occupies $1/2$ of a fuel element, a reactivity worth of $-0.001 \Delta K/K$ results from a void of $1/6$ of an element. Thus, a rapidly produced void caused by fuel element blockage boiling that encompasses $1/6$ of a fuel element or $1/210$ of a 35 element core would cause a reactor period less than 5 seconds and safely scram the reactor before core damage occurred.

CHAPTER 7

MAXIMUM CREDIBLE ACCIDENT WITH PUBLIC RADIOLOGICAL CONSEQUENCES

It has been shown that none of the accidents analyzed results in a public radiological hazard, except for the case of a fuel element cladding failure. Such a failure is a potential radiological hazard because of the radionuclides that could be released from the reactor pool and containment thus affecting the public outside the reactor building. The degree of the hazard will obviously depend upon the size of the rupture and in the retention of radioactive isotopes by the pool-water and the reactor containment. Hence, it will be postulated that the maximum credible accident that could occur at the FNR is a rupture of the cladding due to manufacturing defects.

It will be assumed that the reactor core inventory at the time of the accident is the equivalent of a 2 Mw reactor that has been operating for a one year period and that the rupture takes place in a 35 element core, with 18 plates per element. As the worst situation, 10% of one plate ruptures. The total fraction of the core released in this incident is $1.59 \times 10^{-2}\%$. After fission product released only I , X_g and Kr are volatile and leak from the pool and containment. Once in the pool-water they will be released to the reactor containment at a rate determined by the I-131 pool-leak rate and from the containment to the atmosphere at the containment-leak rate. The values of these leak rates have been experimentally determined and the bases and results of the experiments are the subject of Chapter 8.

A computer program following American Nuclear Society (ANS) and U.S. Nuclear Regulatory Commission (NRC) guidelines has been developed (16). The program calculates the concentration of radioactive effluents emanating from a nuclear reactor and public doses as a consequence of a reactor core meltdown accident and as a function of the distance from the reactor site, wind direction, wind velocity, and atmospheric conditions. The program calculates the cumulative internal and external body dose caused by exposure to any selected by-product isotopes that represent a potential radiological hazard.

The results of the program and their analysis for the reactor core inventory given in table (7.1) will be treated in Chapter 9.

Table (7.1)
FNR Core Inventory After 1 Year of Operation at 2 Mw (17)
and for 100% of Iodines, Xenon and Krypton
and for a Total Fraction of the Core of $1.59 \times 10^{-2}\%$

| <u>Radioisotope</u> | λ sec ⁻¹ | <u>Activity</u> megaCi |
|--------------------------------------|--------------------------------|---------------------------|
| Kr 85 85 M 87 88 | Stable | |
| | 2.14×10^{-9} | 3.18×10^{-8} |
| | 4.38×10^{-5} | 2.544×10^{-6} |
| | 1.48×10^{-4} | 4.77×10^{-6} |
| | 6.88×10^{-5} | 7.314×10^{-6} |
| Xe 133 M 133 135 | Stable | |
| | 3.47×10^{-6} | 3.18×10^{-7} |
| | 1.52×10^{-6} | 1.7172×10^{-5} |
| | 2.0892×10^{-5} | 1.0812×10^{-5} |
| I 131 132 133 134 135 | Stable | |
| | 1.0026×10^{-6} | 7.95×10^{-6} |
| | 8.369×10^{-5} | 1.2084×10^{-5} |
| | 9.166×10^{-6} | 1.749×10^{-5} |
| | 2.22×10^{-4} | 2.0034×10^{-5} |
| | 2.873×10^{-5} | 1.749×10^{-5} |

CHAPTER 8

EXPERIMENTAL DETERMINATION OF THE POOL-LEAK RATE
AND THE CONTAINMENT-LEAK RATE AT THE FNR

8.1 Pool-Leak Rate:

The experiments performed in determining the leak rate of gaseous fission products from the reactor pool were based on the following assumptions:

1. In the event of fuel element fission product release, the leak rate of radio-iodine, I-131, from the pool will represent the leak rate of all fission products. This assumption is based on the fact that I-131 is the fission product that represents the most serious radiological hazard when it is introduced by any means into the body.
2. The effective decay constant, λ_{eff} , for I-131 is given by

$$\lambda_{eff} \equiv \lambda + L_p \quad (8.1-1)$$

where

$$\lambda = \text{I-131 decay constant, } 0.0863 \text{ day}^{-1}$$

$$L_p = \text{I-131 pool leak rate, day}^{-1}$$

The evaluation of λ_{eff} can be accomplished by taking periodical measurements of the counting rate R_i (cps) for a I-131 sample and by plotting the counting rate R_i relative to the initial counting rate R_0 vs. time for each i^{th} time. The curve obtained is an exponential decay curve with a decay constant λ_{eff} . Knowing λ_{eff} , the evaluation of the pool-leak rate, L_p , becomes immediate from (8.1-1) as

$$L_p = \lambda_{eff} - \lambda \quad (8.1-2)$$

8.1.1 Experimental Procedure and Results

Since the experiments were not performed directly in the FNR pool, it was required to simulate as close as possible the experimental conditions to those of the FNR. A sketch of the experimental equipment installed in one of the facility exhaust hoods is shown in Fig. (8.1.1-1).

Two aluminum cans containing one gallon of pool-water were used. They had a layer of plastic-paint (Pyroxcote) on their interior walls which simulated the protective layer of ceramic tile on the FNR tank walls. The cans were put on a hot plate which maintained the temperature of the pool-water between 102 - 108°F during the time of the experiments (13 days without interruption). The cans were equipped with thermometers and above each of them a source of make-up pool-water was installed. A constant drip rate of water compensated for the decrease in water level due to evaporation. Should the water level increase above the one gallon limit a hole was drilled on each of the cans just above that limit and the exhaust of water was through a plastic tube ending in a glass bottle. The two cans were identical except that the surface of one was covered with 40 ml of vegetable oil. A reduction of the leak rate by absorption of I-131 in the oil can was expected.

Two 1 ml samples of I-131 as sodium iodide in NaOH with initial specific activities of 182 $\mu\text{Ci/ml}$ and 218 $\mu\text{Ci/ml}$ were added to the plain and oil cans respectively. The specific activities in each can were 0.048 $\frac{\mu\text{Ci}}{\text{ml}}$ and 0.0576 $\frac{\mu\text{Ci}}{\text{ml}}$ respectively.

Three 1 ml samples from each can were taken and counted for times ranging between 400 and 500 seconds to have an overall statistical error of 2%. The counts were recorded by using the ND-4420 multichannel analyzer at the FNR. The areas under the 364 keV photo-peak for I-131 were recorded for each sample and corrected by the decay time between the instant in which they were taken out from the cans and the time at which they were counted.

This procedure was followed during 13 days taking samples almost daily. The experimental counting rates R_i are given in table (8.1.1-1). They do not include the statistical deviations since those were as small as 2%. The values of R_i are averages of the 3 samples for each of the conditions plain and oil. In that table, the relative counting rates R_i/R_0 and the relative theoretical values for $\lambda = 0.0863 \text{ day}^{-1}$ are also included. The values of R_i as given in table (8.1.1-1) were fitted to an exponential curve using the method of least squares. The fitted values of R_i and R_i/R_0 are given in table (8.1.1-2).

Figure (8.1.1-1)

Equipment for Determining ^{131}I Pool-Leak Rate

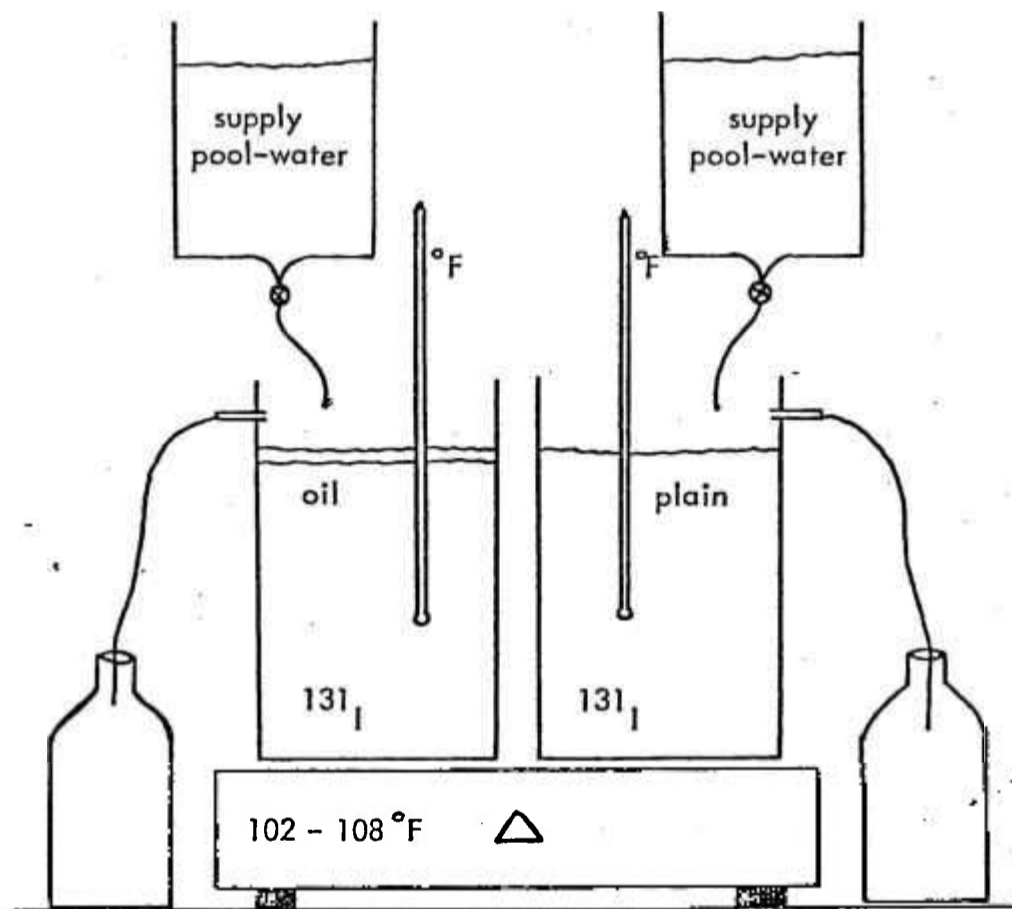


Table (8.1.1-1)
Counting Rates and Relative Experimental and Theoretical
Counting Rates

| <u>Time</u> <i>i</i> th <u>day</u> | <u>Counting Rate</u> <i>R_i</i> , cps | | <u>Relative Counting Rate</u> <i>R_i/R₀</i> | | |
|---|--|------------|---|------------|--------------------|
| | <u>Plain</u> | <u>Oil</u> | <u>Plain</u> | <u>Oil</u> | <u>Theoretical</u> |
| 0 | 7.46 | 7.71 | 1.00 | 1.00 | 1.00 |
| 1 | 6.58 | 6.40 | 0.88 | 0.83 | 0.92 |
| 2 | 5.51 | 5.40 | 0.74 | 0.70 | 0.84 |
| 3 | 5.87 | 5.37 | 0.79 | 0.69 | 0.77 |
| 4 | 5.16 | 4.76 | 0.69 | 0.62 | 0.71 |
| 5 | 4.13 | 4.06 | 0.55 | 0.53 | 0.65 |
| 7 | 3.80 | 3.41 | 0.51 | 0.44 | 0.55 |
| 10 | 2.66 | 2.45 | 0.36 | 0.32 | 0.42 |
| 12 | 1.81 | 1.84 | 0.24 | 0.24 | 0.36 |
| 13 | 1.70 | 1.82 | 0.23 | 0.24 | 0.33 |

Table (8.1.1-2)
Exponential Fitted Values of Experimental Counting Rates
and Relative Counting Rates

| <u>Time</u> <i>i</i> th <u>day</u> | <u>Counting Rate</u> <i>R_i</i> , cps | | <u>Relative Counting Rate</u> <i>R_i/R₀</i> | |
|---|--|------------|---|------------|
| | <u>Plain</u> | <u>Oil</u> | <u>Plain</u> | <u>Oil</u> |
| 0 | 7.581 | 7.261 | 1.0 | 1.0 |
| 1 | 6.781 | 6.505 | 0.895 | 0.896 |
| 2 | 6.065 | 5.827 | 0.800 | 0.803 |
| 3 | 5.425 | 5.221 | 0.716 | 0.719 |
| 4 | 4.853 | 4.667 | 0.640 | 0.644 |
| 5 | 4.341 | 4.191 | 0.573 | 0.577 |
| 6 | 3.882 | 3.754 | 0.512 | 0.517 |
| 7 | 3.473 | 3.364 | 0.458 | 0.463 |
| 8 | 3.106 | 3.013 | 0.409 | 0.415 |
| 9 | 2.778 | 2.699 | 0.366 | 0.372 |
| 10 | 2.485 | 2.418 | 0.328 | 0.333 |
| 11 | 2.223 | 2.167 | 0.293 | 0.298 |
| 12 | 1.988 | 1.941 | 0.262 | 0.267 |
| 13 | 1.778 | 1.740 | 0.235 | 0.239 |

The relative counting rate values from table (8.1.1-2) and the theoretical ones from table (8.1.1-1) are plotted as a function of time in Fig. (8.1.1-2). These figures also include the experimental relative values.

The exponential fitting curves for the plain and oil conditions are given by the equations:

$$R^p(t) = 7.581 e^{-0.115 t} \quad (8.1.1-1)$$

and

$$R^{oi}(t) = 7.2607 e^{-0.1099 t} \quad (8.1.1-2)$$

where

$R^p(t)$ = counting rate for plain samples, cps.

$R^p(0) = R_0 = 7.581$ cps

λ_{eff}^p = effective decay constant for plain samples,
0.1115 day⁻¹

$R^{oi}(t)$ = counting rate for oil samples, cps.

$R^{oi}(0) = R_0^{oi} = 7.2607$ cps

λ_{eff}^{oi} = effective decay constant for oil samples,
0.1099 day⁻¹

t = time, days

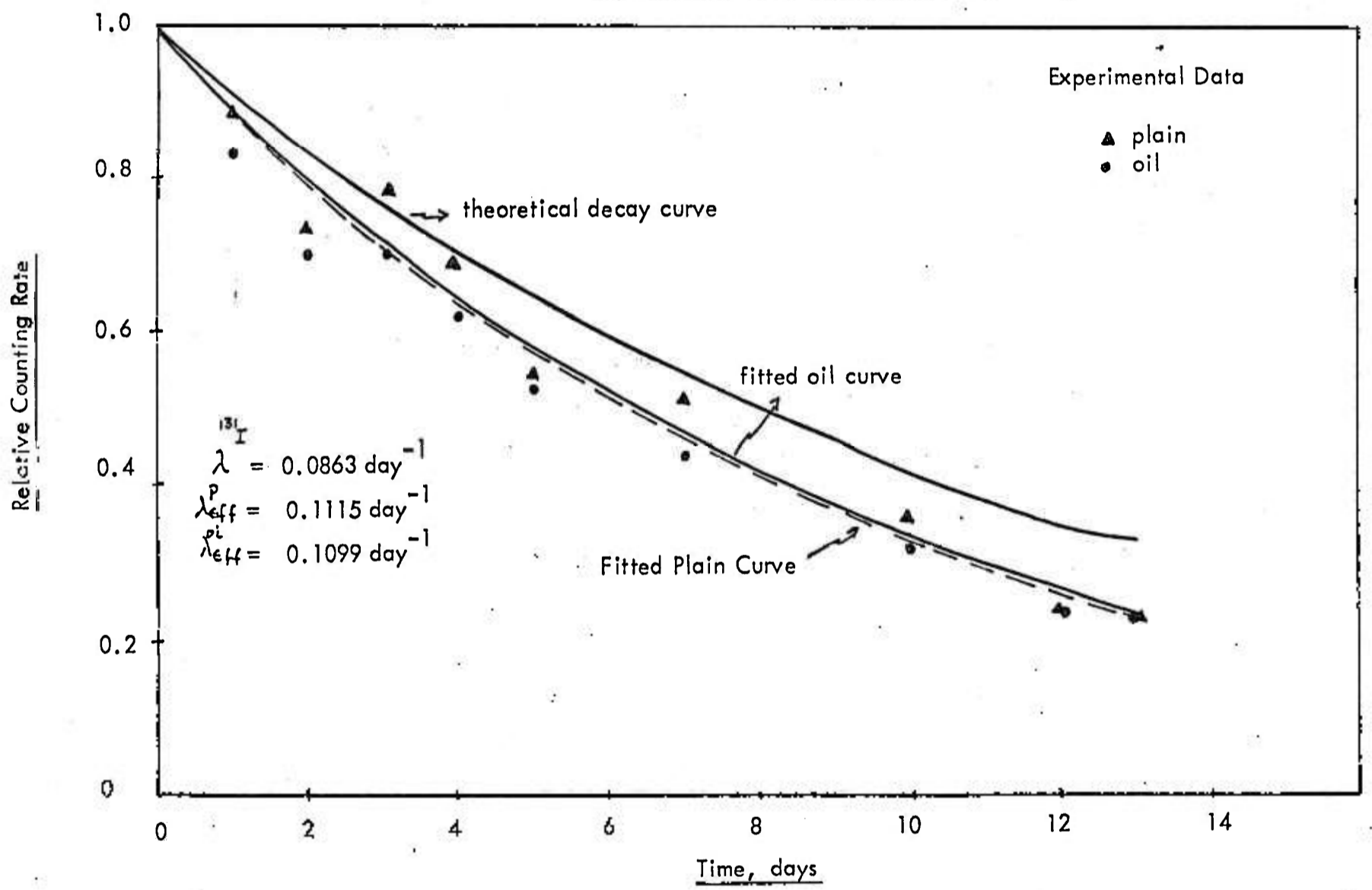
Equations (8.1.1-1) and (8.1.1-2) fit with the experimental data within 0.983 and 0.993 respectively. Using equation (8.1-2) and the values of λ_{eff} for each condition, the respective pool-leak rates are:

plain samples: $L_p^p = 0.1115 - 0.086 = 0.0252 \text{ day}^{-1}$

and

Figure (8.1.1-2)

Relative Counting Rate vs Time



oil samples: $L_p^{oi} = 0.1099 - 0.0863 = 0.0236 \text{ day}^{-1}$

Once the experiments were concluded, samples of 1ml of oil from a remaining total of 25ml were counted and it was found that the retention of I-131 by the oil was only about 1.08%, which is $\approx 10^{-2}$, the ratio L_p^p / L_p^{oi} . The plastic layers in each can were also counted and a total of 10% I-131 in each one was found. In order to have conservative results the above values for L_p^p and L_p^{oi} will not be corrected by this 10%.

8.2 Reactor Containment - Leak Rate:

A sketch of the Ford Nuclear Reactor Building (FNR) and the Phoenix Memorial Laboratory Building (PML) is shown in Fig. (8.2-1).

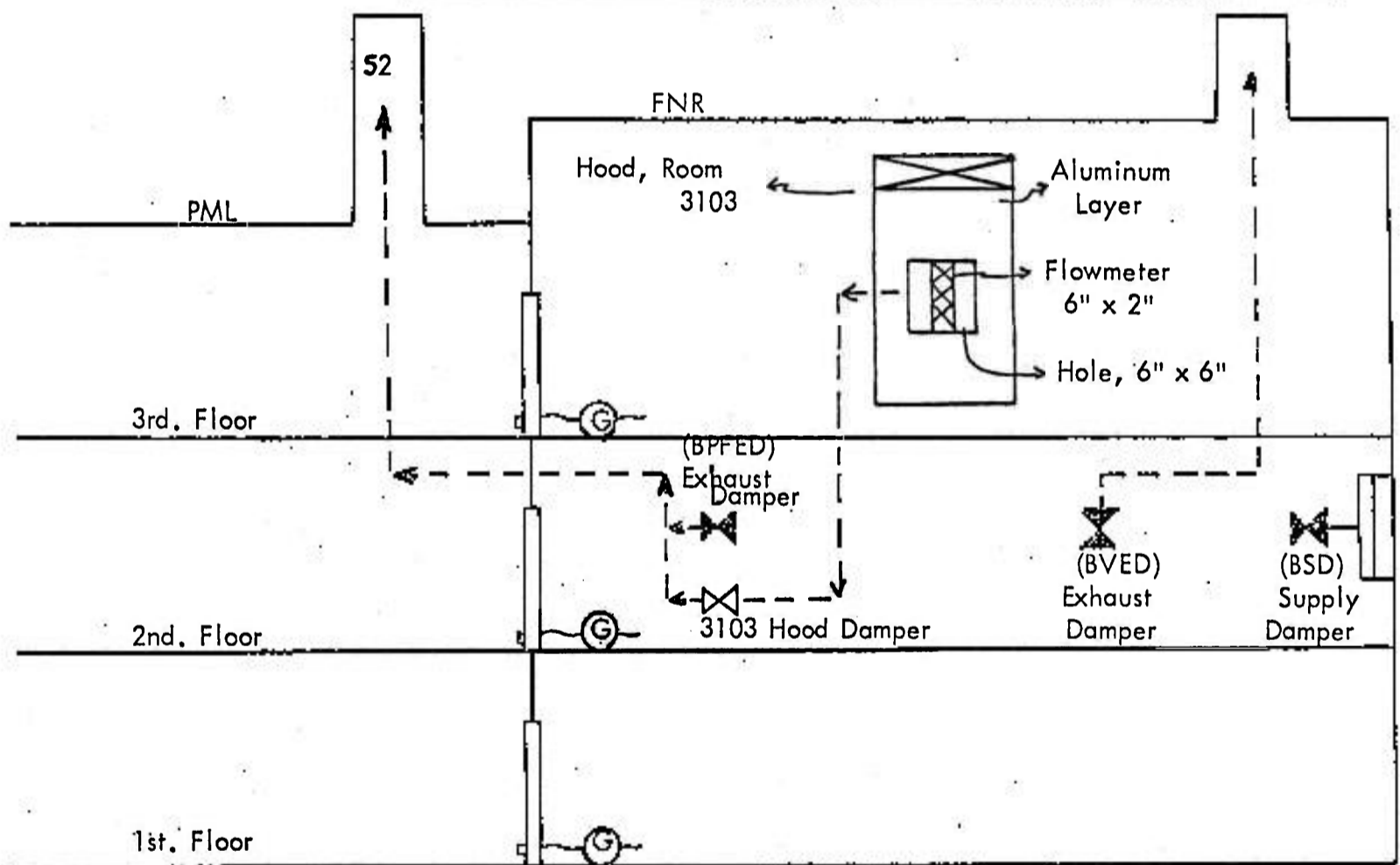
Initially the Building Supply Damper (BSD), the Building Ventilation Exhaust Damper (BVED) and the Beam Port Floor Exhaust Damper (BPFED) were shut and the doors which communicate both buildings on each of the three floors were sealed with masking tape. Three Vacuum gauges (G) were installed inside the FNR (one per floor) with reference legs connected to the PML through the small holes located at the bottom of the doors as shown in the figure. In the room 3103, on the third floor of the FNR, an extraction hood was completely covered with an aluminum sheet. The sheet had a 6"x6" square cut at its center. A linear flow meter (LFM) of cross sectional area 6"x2" was put at the center of the square, producing an effective air flow opening of 4"x6" or 24 in².

Initially the vacuum gauges read a slight vacuum. The 3103 hood damper was cracked open gradually. The exhaust drawn out through the 3103 exhaust damper by PML stack 2 (S2) exhaust fan produced a measurable vacuum in the FNR. The air flow necessary to produce the measurable vacuum was considered the containment air leak rate, L_c . The linear flow measured was 60ft/min. This flow was through the free area of 24 in² = $\frac{1}{6} \text{ ft}^2$, thus the volumetric air flow was 10 ft³/min. For an estimated value of the FNR volume of $6.2741 \times 10^9 \text{ cm}^3 = 2.2154 \times 10^5 \text{ ft}^3$, the resultant containment leak rate is

$$\begin{aligned} L_c &= \frac{10 \text{ ft}^3/\text{min}}{2.2154 \times 10^5 \text{ ft}^3} \\ &= 4.5138 \times 10^{-5} \text{ min}^{-1} \\ &= 0.065 \text{ day}^{-1} \end{aligned}$$

Figure (8.2-1)

Arrangement Used in Determining the Leak Rate from Reactor Containment



CHAPTER 9
PUBLIC RADIOLOGICAL CONSEQUENCES OF MAXIMUM
CREDIBLE ACCIDENT

The results of the computer program for the reactor core inventory in table (7.1) are given in tables (9.1) through (9.3). These results are the accumulated external, internal (thyroid) and total dose a person would receive as a function of the distance from the reactor site and for the exposure times as indicated. Fig. (9.1) is a graphical representation of the total accumulated doses for the values in table (9.3). Besides the data in table (7.1), the other data used in the program is given in Appendix II and a list of the program is in Appendix I.

According to table (9.3) it is seen that the maximum value of total accumulated dose is the one corresponding to an exposure time of 30 days and at a distance of 250 ft from the FNR site. A realistic as possible analysis of the results requires the knowledge of the location of the different population centers around the FNR and the kind of activities performed in such places.

9.1 FNR Site (5):

The FNR is located on the North Campus (NC) of the University of Michigan, Ann Arbor, Michigan. It is 1.5 miles away from the center of Ann Arbor. The NC development plan incorporates the following resolutions:

1. Only laboratory and research buildings will be constructed within 500 ft of the reactor.
2. No housing or other building containing housing facilities will be erected within 1500 feet of the FNR.

The location of some buildings on the NC and their distance to the FNR are given in table (9.1-1). The major population center near Ann Arbor is the City of Ypsilanti which is 7 miles down river.

9.2 Analysis:

Based on the data given in section 9.1 the analysis of the results will be made by assuming that the exposure time will be constant within certain distances from the FNR, this dependence is given in table (9.2-1).

Inspection of table (9.2-1) shows that in the last two cases the values of the total dose delivered are below the MPD values within a minimum factor of one order of magnitude for the case of Ann Arbor downtown and an order of magnitude of 10 less than MPD for Ypsilanti. For distances within 500 and 1500 ft of the FNR the values of total dose are greater than the values of MPD by a factor of approximately 10. Since this difference is not significantly high and because of the assumptions that have been made in the calculation of the doses, namely:

1. All the released fission products appear in the building instantly,
2. The building and its contents afford no shielding,
3. There is no shielding of any kind between the receptor and the building,
4. No retention of radioactive gases by filters occurs,
5. There is no deposition on the walls or structure of the containment,
6. The breathing rate is constant and the population does not move during the exposure time,
7. All the population centers are at the same altitude,
8. The release is at ground level; it is considered that this maximum credible accident represents a gross upper limit and no serious public radiological consequences are expected.

FORD NUCLEAR REACTOR ACCIDENT ANALYSIS.
 ANS 15.7
 POTENTIAL RADIOLOGICAL CONSEQUENCES OF A
 REACTOR CORE MELTDOWN.

POLLUTANT RELEASED FROM THE GROUND LEVEL.

ARRAY VALUES: EXTERNAL DOSE (REM)

| DISTANCE FROM REACTOR (FEET) | TIME AFTER ACCIDENT | | | | | | | |
|---------------------------------|---------------------|-----------|-----------|-----------|-----------|-----------|-----------|-----------|
| | 2.0HOURS | 6.0HOURS | 15.0HOURS | 24.0HOURS | 48.0HOURS | 72.0HOURS | 10DAYS | 30DAYS |
| 250. | .2464E-05 | .1372E-04 | .1096E-03 | .1473E-03 | .1846E-03 | .2231E-03 | .4248E-03 | .6502E-03 |
| 500. | .7391E-06 | .4115E-05 | .3288E-04 | .4419E-04 | .5530E-04 | .6676E-04 | .1270E-03 | .2065E-03 |
| 750. | .3520E-06 | .1960E-05 | .1566E-04 | .2104E-04 | .2636E-04 | .3184E-04 | .6045E-04 | .9806E-04 |
| 1000. | .1848E-06 | .1029E-05 | .7746E-05 | .1057E-04 | .1339E-04 | .1628E-04 | .3157E-04 | .5172E-04 |
| 1250. | .1267E-06 | .7055E-06 | .5139E-05 | .7078E-05 | .8989E-05 | .1096E-04 | .2125E-04 | .3478E-04 |
| 1500. | .9239E-07 | .5144E-06 | .4111E-05 | .5524E-05 | .6921E-05 | .8362E-05 | .1587E-04 | .2573E-04 |
| 1750. | .7039E-07 | .3920E-06 | .3132E-05 | .4209E-05 | .5275E-05 | .6375E-05 | .1207E-04 | .1954E-04 |
| 2000. | .5835E-07 | .3249E-06 | .2596E-05 | .3489E-05 | .4367E-05 | .5273E-05 | .9968E-05 | .1613E-04 |
| 2250. | .4927E-07 | .2744E-06 | .2192E-05 | .2946E-05 | .3686E-05 | .4449E-05 | .8368E-05 | .1350E-04 |
| 2500. | .3696E-07 | .2058E-06 | .1644E-05 | .2210E-05 | .2768E-05 | .3345E-05 | .6335E-05 | .1027E-04 |
| 2750. | .3101E-07 | .1727E-06 | .1380E-05 | .1854E-05 | .2324E-05 | .2808E-05 | .5330E-05 | .8643E-05 |
| 3000. | .2640E-07 | .1470E-06 | .1200E-05 | .1604E-05 | .2006E-05 | .2421E-05 | .4579E-05 | .7413E-05 |
| 4000. | .1732E-07 | .9646E-07 | .8380E-06 | .1103E-05 | .1365E-05 | .1635E-05 | .2027E-05 | .4852E-05 |
| 5000. | .1232E-07 | .6859E-07 | .6304E-06 | .8189E-06 | .1006E-05 | .1198E-05 | .2185E-05 | .3478E-05 |
| 6000. | .9239E-08 | .5144E-07 | .4728E-06 | .6142E-06 | .7524E-06 | .8950E-06 | .1622E-05 | .2572E-05 |
| 7000. | .7199E-08 | .4009E-07 | .3604E-06 | .4706E-06 | .5779E-06 | .6886E-06 | .1248E-05 | .1978E-05 |
| 8000. | .5543E-08 | .3087E-07 | .2837E-06 | .3685E-06 | .4515E-06 | .5370E-06 | .9712E-06 | .1538E-05 |
| 9000. | .4738E-08 | .2638E-07 | .2425E-06 | .3150E-06 | .3861E-06 | .4595E-06 | .8293E-06 | .1311E-05 |
| 10000. | .3960E-08 | .2205E-07 | .2026E-06 | .2632E-06 | .3230E-06 | .3847E-06 | .6966E-06 | .1104E-05 |
| 15000. | .2240E-08 | .1247E-07 | .1177E-06 | .1520E-06 | .1851E-06 | .2193E-06 | .3902E-06 | .6123E-06 |
| 20000. | .1459E-08 | .8123E-08 | .7773E-07 | .1001E-06 | .1216E-06 | .1438E-06 | .2541E-06 | .3973E-06 |
| 25000. | .1109E-08 | .6173E-08 | .6520E-07 | .8217E-07 | .9843E-07 | .1152E-06 | .1980E-06 | .3054E-06 |
| 30000. | .8399E-09 | .4677E-08 | .4816E-07 | .6101E-07 | .7321E-07 | .8579E-07 | .1476E-06 | .2276E-06 |
| 35000. | .6386E-09 | .3834E-08 | .4214E-07 | .5268E-07 | .6256E-07 | .7275E-07 | .1225E-06 | .1865E-06 |
| 40000. | .5656E-09 | .3150E-08 | .3651E-07 | .4516E-07 | .5328E-07 | .6164E-07 | .1024E-06 | .1545E-06 |

Table (9-1)

External Dose Delivered as a Function of Distance from the Reactor and for Different
 Exposure Times Following Maximum Credible Accident

INSTITUTO DE PESQUISAS ENERGIA NUCLEAR
 I.P.E.N.

FORD NUCLEAR REACTOR ACCIDENT ANALYSIS.
ANS 15.7
POTENTIAL RADIOLOGICAL CONSEQUENCES OF A
REACTOR CORE MELTDOWN.

POLLUTANT RELEASED FROM THE GROUND LEVEL.

ARRAY VALUES: THYROID DOSE (REM)

| DISTANCE FROM REACTOR (FEET) | TIME AFTER ACCIDENT | | | | | | | |
|---------------------------------|---------------------|-----------|-----------|-----------|-----------|-----------|-----------|-----------|
| | 2.0HOURS | 6.0HOURS | 15.0HOURS | 24.0HOURS | 48.0HOURS | 72.0HOURS | 1CDAYS | 3CDAYS |
| 250. | .6088E-03 | .5059E-02 | .5383E-01 | .9054E-01 | .1432E+00 | .2135E+00 | .6922E+00 | .1442E+01 |
| 500. | .1827E-03 | .1518E-02 | .1615E-01 | .2716E-01 | .4283E-01 | .6376E-01 | .2068E+00 | .4312E+00 |
| 750. | .8698E-04 | .7228E-03 | .7690E-02 | .1293E-01 | .2043E-01 | .3045E-01 | .9833E-01 | .2046E+00 |
| 1000. | .4566E-04 | .3795E-03 | .3837E-02 | .6590E-02 | .1055E-01 | .1585E-01 | .5214E-01 | .1091E+00 |
| 1250. | .3131E-04 | .2602E-03 | .2559E-02 | .4446E-02 | .7141E-02 | .1074E-01 | .3516E-01 | .7338E-01 |
| 1500. | .2283E-04 | .1897E-03 | .2019E-02 | .3395E-02 | .5365E-02 | .7997E-02 | .2580E-01 | .5366E-01 |
| 1750. | .1740E-04 | .1446E-03 | .1538E-02 | .2587E-02 | .4091E-02 | .6100E-02 | .1961E-01 | .4072E-01 |
| 2000. | .1442E-04 | .1198E-03 | .1275E-02 | .2144E-02 | .3383E-02 | .5037E-02 | .1618E-01 | .3358E-01 |
| 2250. | .1218E-04 | .1012E-03 | .1077E-02 | .1811E-02 | .2854E-02 | .4248E-02 | .1354E-01 | .2804E-01 |
| 2500. | .9133E-05 | .7589E-04 | .8075E-03 | .1358E-02 | .2146E-02 | .3199E-02 | .1030E-01 | .2141E-01 |
| 2750. | .7664E-05 | .6368E-04 | .6776E-03 | .1140E-02 | .1802E-02 | .2687E-02 | .8670E-02 | .1803E-01 |
| 3000. | .6523E-05 | .5421E-04 | .5874E-03 | .9807E-03 | .1548E-02 | .2306E-02 | .7427E-02 | .1543E-01 |
| 4000. | .4281E-05 | .3557E-04 | .4069E-03 | .6650E-03 | .1034E-02 | .1528E-02 | .4830E-02 | .9984E-02 |
| 5000. | .3044E-05 | .2530E-04 | .3039E-03 | .4874E-03 | .7505E-03 | .1102E-02 | .3444E-02 | .7096E-02 |
| 6000. | .2283E-05 | .1897E-04 | .2279E-03 | .3655E-03 | .5605E-03 | .8210E-03 | .2545E-02 | .5229E-02 |
| 7000. | .1779E-05 | .1478E-04 | .1742E-03 | .2815E-03 | .4328E-03 | .6351E-03 | .1962E-02 | .4023E-02 |
| 8000. | .1370E-05 | .1138E-04 | .1367E-03 | .2193E-03 | .3363E-03 | .4526E-03 | .1522E-02 | .3124E-02 |
| 9000. | .1171E-05 | .9730E-05 | .1169E-03 | .1875E-03 | .2878E-03 | .4219E-03 | .1298E-02 | .2660E-02 |
| 10000. | .9785E-06 | .8131E-05 | .9767E-04 | .1567E-03 | .2410E-03 | .3536E-03 | .1093E-02 | .2243E-02 |
| 15000. | .5535E-06 | .4599E-05 | .5655E-04 | .8992E-04 | .1367E-03 | .1992E-03 | .6040E-03 | .1231E-02 |
| 20000. | .3605E-06 | .2996E-05 | .3728E-04 | .5901E-04 | .8937E-04 | .1299E-03 | .3912E-03 | .7958E-03 |
| 25000. | .2740E-06 | .2277E-05 | .3091E-04 | .4743E-04 | .7036E-04 | .1010E-03 | .2972E-03 | .6007E-03 |
| 30000. | .2076E-06 | .1725E-05 | .2290E-04 | .3541E-04 | .5262E-04 | .7560E-04 | .2220E-03 | .4479E-03 |
| 35000. | .1702E-06 | .1414E-05 | .1989E-04 | .3015E-04 | .4408E-04 | .6270E-04 | .1806E-03 | .3624E-03 |
| 40000. | .1393E-06 | .1162E-05 | .1714E-04 | .2557E-04 | .3701E-04 | .5229E-04 | .1487E-03 | .2972E-03 |

Table (9-2)

Thyroid Dose Delivered as a Function of Distance from the Reactor and for Different
Exposure Times Following Maximum Credible Accident

FORD NUCLEAR REACTOR ACCIDENT ANALYSIS.
 ANS 15.7
 POTENTIAL RADIOLOGICAL CONSEQUENCES OF A
 REACTOR CORE MELTDOWN.

POLLUTANT RELEASED FROM THE GROUND LEVEL.

ARRAY VALUES: TOTAL DOSE (REM)

| DISTANCE FROM REACTOR (FEET) | TIME AFTER ACCIDENT | | | | | | | |
|---------------------------------|---------------------|-----------|-----------|-----------|-----------|-----------|-----------|-----------|
| | 2.0HOURS | 6.0HOURS | 15.0HOURS | 24.0HOURS | 48.0HOURS | 72.0HOURS | 10DAYS | 30DAYS |
| 250. | .6113E-03 | .5073E-02 | .5394E-01 | .9069E-01 | .1434E+00 | .2137E+00 | .6926E+00 | .1442E+00 |
| 500. | .1934E-03 | .1522E-02 | .1618E-01 | .2721E-01 | .4288E-01 | .6383E-01 | .2070E+00 | .4314E+00 |
| 750. | .8733E-04 | .7247E-03 | .7706E-02 | .1296E-01 | .2046E-01 | .3048E-01 | .9839E-01 | .2047E+00 |
| 1000. | .4585E-04 | .3805E-03 | .3845E-02 | .6601E-02 | .1057E-01 | .1587E-01 | .5218E-01 | .1091E+00 |
| 1250. | .3144E-04 | .2609E-03 | .2564E-02 | .4454E-02 | .7150E-02 | .1075E-01 | .3518E-01 | .7341E-01 |
| 1500. | .2292E-04 | .1902E-03 | .2023E-02 | .3401E-02 | .5372E-02 | .8005E-02 | .2582E-01 | .5369E-01 |
| 1750. | .1747E-04 | .1449E-03 | .1541E-02 | .2591E-02 | .4096E-02 | .6107E-02 | .1962E-01 | .4074E-01 |
| 2000. | .1448E-04 | .1202E-03 | .1278E-02 | .2148E-02 | .3387E-02 | .5042E-02 | .1619E-01 | .3360E-01 |
| 2250. | .1223E-04 | .1015E-03 | .1079E-02 | .1814E-02 | .2858E-02 | .4252E-02 | .1355E-01 | .2805E-01 |
| 2500. | .9170E-05 | .7610E-04 | .8091E-03 | .1360E-02 | .2149E-02 | .3202E-02 | .1031E-01 | .2142E-01 |
| 2750. | .7695E-05 | .6386E-04 | .6790E-03 | .1142E-02 | .1804E-02 | .2689E-02 | .8675E-02 | .1804E-01 |
| 3000. | .6550E-05 | .5435E-04 | .5886E-03 | .9823E-03 | .1550E-02 | .2309E-02 | .7431E-02 | .1544E-01 |
| 4000. | .4298E-05 | .3567E-04 | .4077E-03 | .6661E-03 | .1036E-02 | .1529E-02 | .4833E-02 | .9989E-01 |
| 5000. | .3057E-05 | .2537E-04 | .3045E-03 | .4882E-03 | .7515E-03 | .1103E-02 | .3446E-02 | .7100E-01 |
| 6000. | .2292E-05 | .1902E-04 | .2284E-03 | .3662E-03 | .5612E-03 | .8219E-03 | .2546E-02 | .5232E-01 |
| 7000. | .1786E-05 | .1482E-04 | .1746E-03 | .2819E-03 | .4334E-03 | .6358E-03 | .1963E-02 | .4025E-01 |
| 8000. | .1375E-05 | .1141E-04 | .1370E-03 | .2197E-03 | .3367E-03 | .4931E-03 | .1523E-02 | .3125E-01 |
| 9000. | .1176E-05 | .9756E-05 | .1171E-03 | .1879E-03 | .2882E-03 | .4223E-03 | .1299E-02 | .2661E-01 |
| 10000. | .9825E-06 | .8153E-05 | .9787E-04 | .1569E-03 | .2413E-03 | .3540E-03 | .1094E-02 | .2244E-01 |
| 15000. | .5557E-06 | .4612E-05 | .5667E-04 | .9007E-04 | .1369E-03 | .1994E-03 | .6043E-03 | .1232E-01 |
| 20000. | .3620E-06 | .3004E-05 | .3736E-04 | .5911E-04 | .8949E-04 | .1301E-03 | .3915E-03 | .7962E-01 |
| 25000. | .2751E-06 | .2283E-05 | .3098E-04 | .4751E-04 | .7046E-04 | .1011E-03 | .2974E-03 | .6010E-01 |
| 30000. | .2084E-06 | .1729E-05 | .2295E-04 | .3547E-04 | .5269E-04 | .7569E-04 | .2221E-03 | .4482E-01 |
| 35000. | .1709E-06 | .1418E-05 | .1994E-04 | .3021E-04 | .4415E-04 | .6277E-04 | .1807E-03 | .3620E-01 |
| 40000. | .1404E-06 | .1165E-05 | .1717E-04 | .2561E-04 | .3706E-04 | .5236E-04 | .1488E-03 | .2974E-01 |

Table (9-3)

Total Dose Delivered as a Function of Distance from the Reactor and for Different
 Exposure Times Following Maximum Credible Accident

Figure (9-1)

Total Accumulated Dose vs. Distance from Reactor for Different Exposure Times

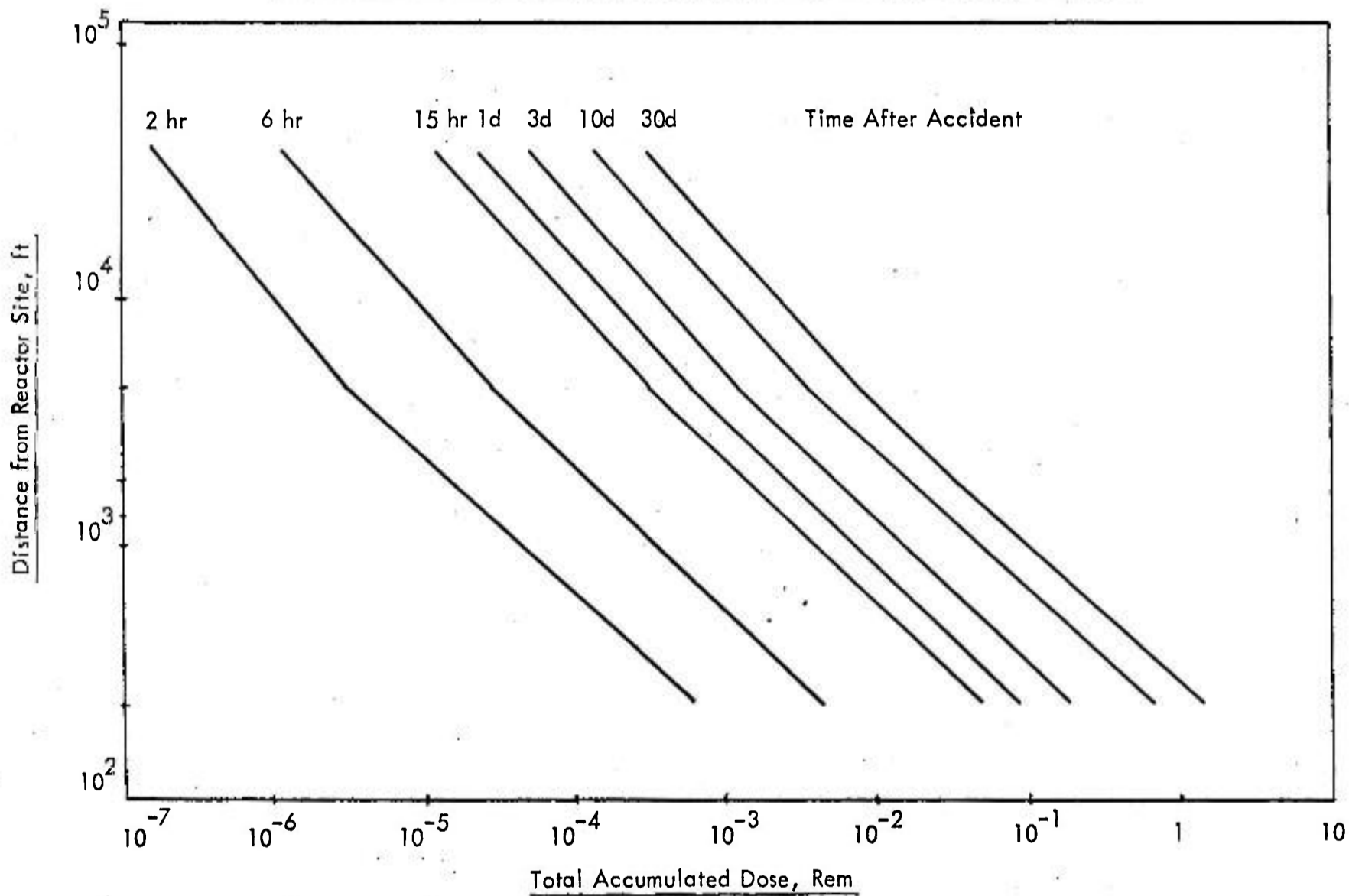


Table (9.1-1)
North Campus Buildings and Their Distance to the FNR

| <u>Building</u> | <u>Distance to FNR</u> ft |
|---|------------------------------|
| Mortimer E. Cooley Bldg. | 400 South East |
| Automotive Engineering Lab. | 300 North East |
| Library Storage Bldg. and bindery | 600 South East |
| Printing Shop Bldg. | 700 South East |
| Aeronautical Research Labs. | 1200 to 1500 North East |
| Fluids Engineering Lab. | 650 North |
| Cyclotron Bldg. | 1500 North East |
| Institute of Science and Technology Bldg. | 520 South |
| Northwood Apartments | 1500 North |
| Veterans Administration Hospital | 1500 South |

Table (9.2-1)
Assumed Exposure Times for Different Average Distances
from FNR, with Expected Total Doses from Program and
MPD*

| <u>Type of Population Center</u> | <u>Average Distance</u> ft | <u>Exposure Time</u> | <u>Total Dose</u> Rem | MPD Rem |
|----------------------------------|------------------------------------|----------------------|--------------------------|-------------------------|
| Research and Laboratory Bldgs. | 500 | 6 hr | 1.524×10^{-3} | 1.1806×10^{-4} |
| Housing and Hospital | 1500 | 15 hr | 2.025×10^{-3} | 2.9514×10^{-4} |
| Ann Arbor Center | 8000 ⁺ (1.512 miles) | 24 hr | 2.2×10^{-4} | 4.72×10^{-4} |
| Ypsilanti | 40000 ⁺ (7.56 miles) | 30 days | 2.97×10^{-4} | 1.42×10^{-2} |

+ Those values are not averages.

* The value of the Maximum Permissible Dose selected from NCRP (table 6, Report 39) was 0.170 Rem average per year for a population as a whole.

APPENDIX I
LIST OF THE COMPUTER PROGRAM

Some of the features under which the program was run are the following:

- 1.- The release of radioactive effluents was assumed to occur at ground level.
- 2.- No particular wind direction was taken into account.
- 3.- The pollutant release was assumed to be continuous.
- 4.- The 100% of the reactor core inventory in table (7.1) was available for releasing.

FORD NUCLEAR REACTOR ACCIDENT ANALYSIS.

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*
* A PROGRAM TO CALCULATE CUMULATIVE INTERNAL, EXTERNAL AND TOTAL
* DOSES AT DIFFERENT DISTANCES, DIRECTIONS AND TIMES DUE TO RADI
* -ACTIVITY RELEASES FROM THE FORD NUCLEAR REACTOR UNDER THE FOL
* -LOWING ACCIDENT SITUATIONS:
*
* "A POTENTIALLY HAZARDOUS ACCIDENT CONDITION EXISTS AT THE
* REACTOR AND RADIOLOGICAL CONSEQUENCES OF THE ACCIDENT WOULD
* BE SIGNIFICANT
*
* BASED UPON REGULATORY GUIDES 1.3 AND 1.4, ASSUMPTIONS USED IN
* EVALUATING THE POTENTIAL RADIOLOGICAL CONSEQUENCES OF A LOSS
* OF COOLANT ACCIDENT, AND ANS 15.7, GUIDE FOR RESEARCH REACTOR
* SITE EVALUATION.
*
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VARIABLES:

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ACCDNT    INTEGER VALUED PARAMETER TO DESCRIBE THE TYPE OF CORE
          MELTDOWN:
          1    ONE PERCENT CORE MELTDOWN.
          10   TEN PERCENT CORE MELTDOWN.
          100  (UNDECLARED) ONE HUNDRED PERCENT CORE MELTDOWN.
CHI       RADIOACTIVE POLLUTANT CONCENTRATION, CI/CUBIC METER.
DELDOS    INCREMENTAL RADIOACTIVE POLLUTANT DOSE.
DINDOS    INCREMENTAL RADIOACTIVE INTERNAL DOSE ( THYROID ).
DIST      DISTANCE FROM REACTOR TO DOSE MEASUREMENT POINT, METERS.
DOSETP    INTEGER VALUED PARAMETER TO DECIDE TYPE OF DOSE:
          1    INTERNAL DOSE.
          OTHER VALUES:  EXTERNAL DOSE WITH THE FOLLOWING
          MODIFICATIONS:
          THE ORIGINAL PROGRAM WAS SET UP TO CALCULATE THE EXTER
          -NAL AND THYROID DOSES AT DIFFERENT DISTANCES AND DIRE
          -CTIONS FOR FIXED EXPOSURE TIMES. THE EFFECT OF VARIOU
          -S EXPOSURE TIMES WAS NOT CONSIDERED. THE PROGRAM WAS
          THEN MODIFIED SO AS TO CALCULATE THE EXTERNAL, THYROID
          AND TOTAL DOSES AT DIFFERENT DISTANCES FOR VARIOUS
          EXPOSURE TIMES (PRESENTLY EIGHT DIFFERENT EXPOSURE
          TIMES 2 HOURS TO 30 DAYS.). THIS WAS ACHIEVED BY INTRO
          -DUCING ANOTHER INTEGER VALUE OF 3 FOR INTEGER VARI
          -ABLE 'DOSETP'. AS BEFORE DOSETP=1 GIVES THYROID DOSE
          -AT DIFFERENT DIRECTIONS AND DOSETP=2 GIVES EXTERNAL
          DOSE FOR FIXED EXPOSURE TIMES ( 2 HOURS - 30 DAYS).
EFFLNT    THE NAMELIST OF THE INPUT VARIABLES.
EXPOTM    TIME AFTER ACCIDENT, HRS. EIGHT VALUES: 2 HRS. TO 30 DAYS.
HEADER    A SUBROUTINE TO WRITE PROPER OUTPUT HEADING.
HGT       REACTOR STACK HEIGHT, METERS.
KRAP      INTEGER VALUED PARAMETER USED INTERNALLY FOR SELECTING
          PROPER OUTPUT HEADING.
LEVEL     INTEGER VALUED PARAMETER TO DESCRIBE RADIOACTIVE RELEASE
          LEVEL:
          0    GROUND LEVEL RELEASE.
          1    STACK RELEASE.
N         NON DIMENSIONAL STABILITY PARAMETER FOR WIND CONDITION.
NDIR      NUMBER OF WIND DIRECTIONS. ALSO USED FOR NUMBER OF EXPOSUR
          TIMES DESIRED.
NDIST     NUMBER OF DISTANCES FROM THE REACTOR BUILDING.

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C      POLTAN  INTEGER VALUED INPUT PARAMETER TO DESCRIBE THE TYPE OF
C      POLLUTANT BEING RELEASED FROM THE REACTOR:
C          1  IODINE.
C          2  NOBLE GAS.
C          3  FISSION PRODUCT SOLIDS.
C      Q      RADIOACTIVE POLLUTANT RELEASE RATE, CI/SEC.
C      QCHI   CHI/Q, SEC/CUBIC METER.
C      QCHITR INTEGER VALUED INPUT PARAMETER:
C          1  WRITES Q/CHI VALUES OF THE LAST ISOTOPE
C              PROCESSED.
C          0  SKIPS THE WRITING STEP.
C      QNOT   TOTAL RADIOACTIVE POLLUTANT RELEASED INTO THE REACTOR
C      CONTAINMENT AS A RESULT OF AN ACCIDENT AT T=0, CURIES.
C      SIG(X,Y,Z) ARE STANDARD DEVIATIONS OF THE PLUME OBTAINED FROM
C      FIGS. 3.10 AND 3.11, METEOROLOGY AND ATOMIC ENERGY,
C      CHAP. 3, 1968.
C      SIGZ(1,3,4,5,6,7) ARE THE VERTICAL DIFFUSION PARAMETERS CORRESPOND
C      -ING TO THE PASQUILL'S CONDITIONS F,C,F,C,D,F RESPEC
C      -TIVELY. (USED IN SUBROUTINE PEANTS ONLY)
C      T      TIME AFTER ACCIDENT, SEC.
C      TIMDEP INTEGER VALUED INPUT PARAMETER: DESCRIBES WHETHER THE
C      POLLUTANT RELEASE FROM THE CONTAINMENT IS TIME DEPENDENT
C      OR CONTINUOUS:
C          1  TIME DEPENDENT.
C          0  TIME INDEPENDENT.
C      TIMINT INTEGER VALUED INPUT PARAMETER: TAKES EIGHT VALUES (1-8)
C      CORRESPONDING TO EXPOSURE TIMES (2. HOURS- 30 DAYS).
C      MUST BE USED WITH WINDIR=0.
C      THYDOS  TOTAL THYROID DOSE FROM ALL DIFFERENT IODINE ISOTOPES USE
C      TRACE   INTEGER VALUED INPUT PARAMETER USED FOR WRITING THE INPUT
C      PARAMETERS OF EACH ISOTOPE AS IT IS PROCESSED.
C      WINDIR  INTEGER VALUED INPUT PARAMETER, HAS EIGHT VALUES (1-8)
C      CORRESPONDING TO THE FOLLOWING INTEGER VALUE ASSIGNMENTS:
C          1  NORTH
C          2  NORTH-EAST.
C          3  EAST.
C          4  SOUTH-EAST.
C          5  SOUTH.
C          6  SOUTH-WEST.
C          7  WEST.
C          8  NORTH-WEST.
C      WINVEL  REAL VALUED WIND VELOCITY, METERS/SEC.
C      WNVEL(1,3,4,5,6,7) ARE THE WIND VELOCITIES CORRESPONDING TO
C      PASQUILL'S CONDITIONS F,D,FC,D,F RESPECTIVELY.
C      (USED IN SUBROUTINE PEANTS ONLY)
C      WINDY   A SUBROUTINE WHICH MAY BE CALLED TO CHECK THAT PROPER VAL
C      OF WINDIR WAS CHOSEN FOR WIND DIRECTION. ACHIEVED
C      BY TRACE=1 INPUT.
C
C      INTEGER POLTAN,WINDIR,TIMDEP,DOSETP,TRACE,ACCDNT,DUOLK,TIMINT
C      REAL QEXLP1,QEXLP2,QEXLC1,GEXLC2,Q,N,LAMDA,LEAK,
C      1LEAKP,LAMDAE
C      COMMON Q,EXPOT,TIMINT,A,CHI,DELDOS,DOSE,DINDOS,THYDOS,TODOS,
C      1NDIST,EBETA,EGAMA,LAMDAE,BR,ZSI,LEVEL,HGT,TRACE,QCHI,
C      1SIGY,SIGZ1,SIGZ3,SIGZ4,SIGZ5,SIGZ6,SIGZ7,QNOT,LAMDA,
C      1WNVEL1,WNVEL3,WNVEL4,WNVEL5,WNVEL6,WNVEL7,LEAK,LEAKP,DUOLK
C      DIMENSION CHI(25,10),A(25,1),B(25,1),DOSE(25,10),DELDOS(25,10),
C      1DIST(25,10),DMT(25,10),SIGC(25,10),EXP01(25,10),DENOM2(25,10),
C      2DNUM(25,10),DENOM3(25,10),EXP02(25,10),DENCM(25,10),
C      3DINDOS(25,10),THYDOS(25,10),SIGX(25),SIGY(25),SIGZ(25),
C      4HGT(25),DENCM1(25),QCHI(25,10),TODOS(25,10),T(25),

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1 SIGZ1(25),SIGZ3(25),SIGZ4(25),SIGZ5(25),SIGZ6(25),SIGZ7(25)
  NAMELIST/EFFLNT/ LEVEL, WINDIR, WINVEL,FGT, EXPOTM,TIMINT,N,
1 SIGX,SIGY,SIGZ,QNOT,POLTAN,T,TIMDEP,NDIR,NDIST,EBETA,EGAMA,
1 LAMDA,LEAK,DELT,DOSETP,ZSI,TRACE,ACCDNT,QCHITR,BR,LEAKP,DUOLK
  NAMELIST/PENTS1/SIGZ1,SIGZ3,SIGZ4,SIGZ5,SIGZ6,SIGZ7,
1 WNVEL1,WNVEL3,WNVEL4,WNVEL5,WNVEL6,WNVEL7
C * INITIALIZING THE INPUT PARAMETERS.
  DO 340 I=1,25
  DO 345 J=1,10
  DELDOS(I,J)=0
  DINDOS(I,J)=0
  THYDOS(I,J)=0
  TOTDOS(I,J)=0
  QCHI(I,J)=0
  CHI(I,J)=0
345 DOSE(I,J)=0
340 CCNTINUE
C *****
C *
C * CALCULATE THE DISTANCE FROM THE REACTOR
C *
C *****
  DO 360 I=1,25
  IF(I .GT. 12) GO TO 183
  B(I,1)=250.*I
  GO TO 360
183 L=I-1
  IF(I .GT. 19) GO TO 184
  B(I,1)=B(L,1)+1000.
  GO TO 360
184 L=I-1
  B(I,1)=B(L,1)+5000.
360 A(I,1)=.3048*B(I,1)
  K=1
  READ(5,PENTS1)
  WRITE(6,PENTS1)
10 READ(5,EFFLNT, END=500)
C *****
C *
C * CALCULATE THE RADIOACTIVE POLLUTANT RELEASE RATE FROM THE REACTOR
C * BUILDING LEAK RATE IS ASSUMED TO BE 0.065 PER DAY.
C * QNOT VALUES ARE TAKEN FROM THE ARTICLE " FISSION PRODUCT
C * RELEASE " BY PARKER ET AL IN THE TECHNOLOGY OF NUCLEAR REACTOR
C * SAFETY, VOL 2,PP 525-618,M.I.T. PRESS.
C *
C *****
  IF(TRACE .EQ. 0) GO TO 75
  WRITE(6,EFFLNT)
75 IF(TIMDEP .EQ. 0) GO TO 79
  Q=LEAK*QNOT*EXP(-(LAMDA+LEAK)*DELT)
  GO TO 80
79 IF(DUOLK .EQ. 0) GO TO 76
  QLCPT=LEAKP*LEAK*QNOT/(3600.*EXPOTM*(LEAK-LEAKP))
  QEXLP1=(1.-EXP(-(LAMDA+LEAKP)*3600.*EXPOTM))
  CEXLP2=1./(LEAKP+LAMDA)
  QEXLC1=(1.-EXP(-(LAMDA+LEAK)*3600.*EXPOTM))
  CEXLC2=1./(LEAK+LAMDA)
  Q=QLCPT*(QEXLP1*QEXLP2-QEXLC1*CEXLC2)
  GO TO 80
76 QC=QNOT*LEAK/(3600.*EXPOTM*(LEAK+LAMDA))

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      Q=QC*(1.-EXP(-(LEAK+LAMDA)*3600.*EXPOTM))
      IF(ACCDNT .EQ. 10) Q=Q/10.
      IF(ACCDNT .EQ. 1) Q=Q/100.
80  LAMDAE=LAMDA+5.81E-8
C  *****
C  *
C  *  CALCULATE DOSES AS A FUNCTION OF TIME AFTER THE ACCIDENT AND DIS
C  *  TANCE FROM THE REACTOR.
C  *
0  *****
1  IF(WINDIR .EQ. 0) GO TO 36
2  J=WINDIR
3  GO TO 37
4  36 J=TIMINT
5  37 IF(TRACE .EQ. 0) GO TO 106
6  IF(POLTAN .EQ. 1) GO TO 88
7  IF(POLTAN .EQ. 2) GO TO 89
8  WRITE(6,55)
9  95 FORMAT('THE POLLUTANT IS FISSION PRODUCT SOLIDS.')
0  GO TO 105
1  89 WRITE(6,99)
2  99 FORMAT ('THE POLLUTANT IS NOBLE GAS.')
3  105 WRITE(6,100) Q,EXPOTM
4  100 FORMAT('Q=',E8.3,',',',',3X,'EXPOSURE TIME GAP=',F4.0,2X,
5  'HOURS.')
6  GO TO 106
7  88 WRITE(6,101)
8  101 FORMAT('THE POLLUTANT IS IODINE')
9  GO TO 105
0  106 IF( LEVEL .EQ. 0 .AND. TIMDEP .EQ. 0) GO TO 111
1  IF(LEVEL .EQ. 0 .AND. TIMDEP .EQ. 1) GO TO 112
2  IF( LEVEL .EQ. 1 .AND. TIMDEP .EQ. 0) GO TO 113
3  IF (LEVEL .EQ. 1 .AND. TIMDEP .EQ. 1) GO TO 114
4  WRITE (6,73)
5  73 FORMAT('2YOU GOOFED IN DATA ENTRY')
6  GO TO 505
7  111 IF(EXPOTM .GT. 2.) GO TO 116
8  C *****
9  C *
10 C *  CALCULATES DOSES FOR GROUND LEVEL, TIME INDEPENDENT RELEASE
11 C *  EXPOSURE TIME LESS THAN 2. HOURS.
12 C *
13 C *****
14 DO 2 I=1,NDIST
15 CHI(I,J)=Q/(3.14*WINVEL*SIGY(I)*SIGZ(I))
16 QCHI(I,J)=CHI(I,J)/Q
17 DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.*EXPOTM
18 DOSE(I,J)=DELDOS(I,J)+DOSE(I,J)
19 C *****
20 C *
21 C *  CALCULATES INTERNAL THYROID DOSE FROM IODINE. FORMULA FOR DINDO
22 C *  ARE OBTAINED FROM INTRODUCTION TO NUCLEAR ENGINEERING,
23 C *  LAMARSH, PAGE 521.
24 C *
25 C *****
26 DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
27 1*3600.*EXPOTM
28 THYDOS(I,J)=THYDOS(I,J)+DINDOS(I,J)
29 TOTDOS(I,J)=TOTDOS(I,J)+DINDOS(I,J)+DELDOS(I,J)
30 2 CCNTINUE

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1      IF(TRACE .EQ. 0) GO TO 301
2      CALL WINDY(WINDIR,WINVEL,LEVEL,HGT,0)
3      GO TO 301
4
5      C *****
6      C *
7      C * CALCULATES DOSES FOR GROUND LEVEL, TIME INDEPENDENT RELEASE
8      C * EXPOSURE TIME GREATER THAN 2. HOURS.
9      C *
10     C *****
11     116 IF(EXPOTM .GT. 8.) GO TO 302
12         DO 3 I=1,NDIST
13             CHI(I,J)=Q*2.032/(SIGZ(I)*WINVEL*A(I,1))
14             QCHI(I,J)=CHI(I,J)/Q
15             DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.*EXPOTM
16             DCSE(I,J)=DCSE(I,J)+DELDOS(I,J)
17             DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
18             I*3600.*EXPOTM
19             THYDOS(I,J)=THYDOS(I,J)+DINDOS(I,J)
20             TODOS(I,J)=TODOS(I,J)+DINDOS(I,J)+DELDOS(I,J)
21     3     CCNTINUE
22         GO TO 303
23     302 CALL PEANTS
24     303 IF(TRACE .EQ. 0) GO TO 301
25         CALL WINDY(WINDIR,WINVEL,LEVEL,HGT,0)
26         GO TO 301
27     C *****
28     C *
29     C * CALCULATES DOSES FOR GROUND LEVEL, TIME DEPENDENT RELEASE FROM
30     C * THE CONTAINMENT.
31     C *
32     C *****
33     112 DO 4 I=1,NDIST
34         DMT(I,J)=(A(I,1)-WINVEL*T(I))**2
35         SIGD(I,J)=2.*SIGX(I)**2*(WINVEL*T(I))**(2-N)*A(I,1)**(N-2)
36         EXP01(I,J)=EXP(-(DMT(I,J)/SIGD(I,J)))
37         DENOM1(I)=(3.14**1.5*1.417*SIGX(I)*SIGY(I)*SIGZ(I))
38         DENOM2(I,J)=(WINVEL*T(I))**(1.5*(2-N))*A(I,1)**(1.5*(N-2))
39         DENOM(I,J)=DENOM1(I)*DENOM2(I,J)
40         CHI(I,J)=Q*EXP01(I,J)/DENOM(I,J)
41         QCHI(I,J)=CHI(I,J)/Q
42         DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.*EXPOTM
43         DOSE(I,J)=DELDOS(I,J)+DOSE(I,J)
44         DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
45         I*3600.*EXPOTM
46         THYDOS(I,J)=THYDOS(I,J)+DINDOS(I,J)
47         TODOS(I,J)=TODOS(I,J)+DINDOS(I,J)+DELDOS(I,J)
48     4     CCNTINUE
49         IF(TRACE .EQ. 0) GO TO 301
50         CALL WINDY(WINDIR,WINVEL,LEVEL,HGT,0)
51         GO TO 301
52     113 IF(EXPOTM .GT. 2.) GO TO 117
53     C *****
54     C *
55     C * CALCULATES DOSES FOR TIME INDEPENDENT RELEASE FROM THE STACK,
56     C * EXPOSURE TIME LESS THAN TWO HOURS.
57     C *
58     C *****
59     DC 5 I=1,NDIST
60         CHI(I,J)=Q*EXP(-((HGT(I)/SIGZ(I))**2/2))/(3.14*WINVEL*SIGY(I)*SIGZ(I)
61         QCHI(I,J)=CHI(I,J)/Q

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```

DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.*EXPOTM
DCSE(I,J)=DCSE(I,J)+DELCCS(I,J)
DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
1*3600.*EXPOTM
  THYDOS(I,J)=THYDCS(I,J)+DINDCS(I,J)
  TOTDOS(I,J)=TOTDCS(I,J)+DINDOS(I,J)+DELDCS(I,J)
5  CCNTINUE
  IF(TRACE .EQ. 0) GO TO 301
  CALL WINDY(WINDIR,WINVEL,LEVEL,HGT,Q)
  GO TO 301
C *****
C *
C * CALCULATES DOSES FOR TIME INDEPENDENT RELEASE FROM THE STACK, *
C * EXPOSURE TIME GREATER THAN TWO HOURS. *
C *
C *****
117 IF(EXPOTM .GT. 8.) GO TO 217
  DO 6 I=1,NDIST
  CHI(I,J)=Q*2.032*EXP((-HGT(I)/SIGZ(I))**2/2)/{WINVEL*SIGZ(I)*A(I,
  QCHI(I,J)=CHI(I,J)/Q
  DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.*EXPOTM
  DOSE(I,J)=DCSE(I,J)+DELDCS(I,J)
  DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
  1*3600.*EXPOTM
  THYDOS(I,J)=THYDCS(I,J)+DINDCS(I,J)
  TOTDOS(I,J)=TOTDCS(I,J)+DINDOS(I,J)+DELDCS(I,J)
6  CCNTINUE
  GO TO 318
217 CALL PEANTS
318 IF(TRACE .EQ. 0) GO TO 301
  CALL WINDY(WINDIR,WINVEL,LEVEL,HGT,Q)
  GO TO 301
C *****
C * CALCULATES DOSES FOR TIME DEPENDENT RELEASE FROM THE STACK. *
C *
C *
C *****
114 DO 7 I=1,NDIST
  DNUM(I,J)=((A(I,1)-WINVEL*T(I))/SIGX(I))**2+(HGT(I)/SIGZ(I))**2
  DENOM3(I,J)=(WINVEL*T(I))**(1.5*(2-N))*A(I,1)**(1.5*(N-2))
  EXPD2(I,J)=EXP(-DNUM(I,J)/(2.*DENOM3(I,J)))
  CHI(I,J)=Q/(3.14**1.5*1.47*SIGX(I)*SIGY(I)*SIGZ(I)*DENOM3(I,J))
  1*EXPD2(I,J)
  QCHI(I,J)=CHI(I,J)/Q
  DELDOS(I,J)=(.228*EBETA+.253*EGAMA)
  DELDOS(I,J)=DELDOS(I,J)*CHI(I,J)*3600.*EXPOTM
  DOSE(I,J)=DELDOS(I,J)+DCSE(I,J)
  DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
  1*3600.*EXPOTM
  THYDOS(I,J)=THYDCS(I,J)+DINDCS(I,J)
  TOTDOS(I,J)=TOTDCS(I,J)+DELDCS(I,J)+DINDOS(I,J)
7  CCNTINUE
  IF(TRACE .EQ. 0) GO TO 301
  CALL WINDY(WINDIR,WINVEL,LEVEL,HGT,Q)
  GO TO 301
301 K=K+1
  GO TO 10
500 IF(QCHITR .EQ. 1) GO TO 171
  GO TO 511
171 WRITE(6,175)

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```

175  FORMAT('CDISTANCE',40X,'CHI/C VALUES')
      DO 172 I=1,NDIST
172  WRITE(6,173) B(I,1),(QCHI(I,J),J=1,NDIR)
173  FORMAT(3X,F6.0,4X,8(E9.4,2X))
509  WRITE(6,510)
510  FORMAT('1')
      WRITE(6,234)
234  FORMAT('ODISTANCE',40X,'CHI VALUES')
      DO 235 I=1,NDIST
235  WRITE(6,173) B(I,1),(CHI(I,J),J=1,NDIR)
      WRITE(6,510)
511  KRAP=0
      IF(DOSETP .EQ. 1) GO TO 56
      IF(DOSETP .EQ. 3) GO TO 520
      CALL HEADER(POLTAN,EXPOTM,DCSETP,ACCDNT,LEVEL,KRAP)
      DO 499 I=1,NDIST
499  WRITE(6,501)B(I,1),(DOSE(I,J),J=1,NDIR)
501  FORMAT(3X,F6.0,4X,8(E9.4,2X))
      GO TO 505
56   CALL HEADER(POLTAN,EXPOTM,DCSETP,ACCDNT,LEVEL,KRAP)
      DO 503 I=1,NDIST
503  WRITE(6,502) B(I,1),(THYDCS(I,J),J=1,NDIR)
502  FORMAT(3X,F6.0,4X,8(E9.4,2X))
      GO TO 505
520  CALL HEADER(POLTAN,EXPOTM,DCSETP,ACCDNT,LEVEL,KRAP)
      DO 522 I=1,NDIST
522  WRITE(6,502) B(I,1),(DOSE(I,J),J=1,NDIR)
      WRITE(6,506)
      KRAP=1
      CALL HEADER(POLTAN,EXPOTM,DCSETP,ACCDNT,LEVEL,KRAP)
      DO 523 I=1,NDIST
523  WRITE(6,502) B(I,1),(THYDCS(I,J),J=1,NDIR)
      WRITE(6,506)
      KRAP=KRAP+1
      CALL HEADER(POLTAN,EXPOTM,DCSETP,ACCDNT,LEVEL,KRAP)
      DO 521 I=1,NDIST
521  WRITE(6,622) B(I,1),(TOTDOS(I,J),J=1,NDIR)
622  FORMAT(3X,F6.0,4X,8(E9.4,2X))
505  WRITE(6,506)
506  FORMAT('1')
      STOP
      END
C *****
C *
C * THE SUBROUTINE 'HEADER' IS CALLED TO WRITE THE RELEVANT HEADINGS
C * BEFORE WRITING THE OUTPUT DOSES.
C *
C *****
C SUBROUTINE HEADER(POLTAN,EXPOTM,DCSETP,ACCDNT,LEVEL,KRAP)
      INTEGER POLTAN,DCSETP,ACCDNT,LEVEL,KRAP
      WRITE(6,130)
130  FFORMAT('1')
      WRITE(6,131)
131  FORMAT(3CX,'FORD NUCLEAR REACTOR ACCIDENT ANALYSIS.')
      WRITE(6,147)
147  FFORMAT(45X,'ANS 15.7')
      IF(ACCDNT .EQ. 1) GO TO 400
      IF(ACCDNT .EQ. 10) GO TO 410
      WRITE(6,411)
411  FORMAT(30X,'POTENTIAL RADIOLOGICAL CONSEQUENCES OF A',/

```

```

140X,'REACTOR CORE MELTDOWN.')
```

GO TO 412

```

400 WRITE(6,413)
413 FORMAT(30X,'POTENTIAL RADIOLOGICAL CONSEQUENCES OF A',/
140X,'REACTOR CORE MELTDOWN.')
```

GO TO 412

```

410 WRITE(6,414)
414 FORMAT(30X,'POTENTIAL RADIOLOGICAL CONSEQUENCES OF A',/
140X,'REACTOR CORE MELTDOWN.')
```

412 WRITE(6,132)

```

132 FORMAT('C')
IF(DOSETP .EQ. 3) GO TO 690
IF(POLTAN .EQ. 1) GO TO 133
WRITE(6,135)
135 FORMAT(' ISOTOPE: NOBLE GAS')
GO TO 136
133 WRITE(6,134)
134 FORMAT(' ISOTOPE: IODINE')
136 WRITE(6,137) EXPOTM
137 FORMAT('CTIME AFTER ACCIDENT:',F5.2,3X,'HOURS.')
```

138 IF(DOSETP .EQ. 1) GO TO 139

```

WRITE(6,140)
140 FORMAT('O','ARRAY VALUES:',6X,'EXTERNAL DOSE(REM)')
GO TO 142
139 WRITE(6,141)
141 FORMAT('O','ARRAY VALUES:',6X,'INTERNAL DOSE(REM)')
142 WRITE(6,143)
143 FORMAT('CDISTANCE FROM',35X,'WIND DIRECTICNS:')
WRITE(6,145)
145 FORMAT('REACTOR(FEET)')
WRITE(6,146)
146 FORMAT(18X,'N',9X,'NE',10X,'E',10X,'SE',8X,'S',10X,
1 'SW',9X,'W',10X,'NW')
GO TO 697
690 IF(LEVEL .EQ. 0) GO TO 695
WRITE(6,691)
691 FORMAT('POLLUTANT RELEASED FROM THE STACK.')
```

GO TO 696

```

695 WRITE(6,692)
692 FORMAT('POLLUTANT RELEASED FROM THE GROUND LEVEL.')
```

696 IF(KRAP .EQ. 0) GO TO 800

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IF(KRAP .EQ. 1) GO TO 803
WRITE(6,701)
701 FORMAT('O','ARRAY VALUES:',6X,'TOTAL DOSE (REM)')
GO TO 802
800 WRITE(6,801)
801 FORMAT('O','ARRAY VALUES:',6X,'EXTERNAL DOSE (REM)')
GO TO 802
803 WRITE(6,804)
804 FORMAT('O','ARRAY VALUES:',6X,'THYROID DOSE (REM)')
GO TO 802
802 WRITE(6,702)
702 FORMAT('CDISTANCE FROM',30X,'TIME AFTER ACCIDENT')
WRITE(6,703)
703 FORMAT('REACTOR (FEET)')
WRITE(6,704)
704 FORMAT(14X,'2.0HOURS',3X,'6.CHOURS',2X,'15.0HOURS',2X,'24.0HOURS',
12X,'48.0HOURS',2X,'72.0HGLRS',4X,'10DAYS',5X,'30DAYS')
WRITE(6,333)
333 FORMAT(14X,'-----',3X,'-----',2X,'-----',2X,'-----',
```

```

1
2
3
4
5
697 WRITE(6,698)
698 FORMAT('C')
RETURN
END
C *****
C *
C * THE SUBROUTINE 'WINDY' IS BYPASSED IN THE CALCULATION OF THE
C * DOSE PARAMETERS. ITS PURPOSE IS TO CHECK WHETHER THE PROPER
C * INTEGER VALUE OF WINDIR WAS CHOSEN FOR A PARTICULAR WIND DIREC
C * TION.
C *
C *****
C SUBROUTINE WINDY(WINDIR,WINVEL,LEVEL,HGT,Q)
INTEGER WINDIR
IF(WINDIR .EQ. 1) GO TO 118
IF(WINDIR .EQ. 5) GO TO 202
IF(WINDIR .EQ. 3) GO TO 206
IF(WINDIR .EQ. 7) GO TO 210
IF(WINDIR .EQ. 2) GO TO 214
IF(WINDIR .EQ. 4) GO TO 218
IF(WINDIR .EQ. 6) GO TO 222
IF(LEVEL .EQ. 0) GO TO 226
WRITE(6,227)
227 FORMAT('2 THE POLLUTANT IS FROM THE STACK; AND THE WIND IS BLOWING
1 IN THE NORTH WESTERLY DIRECTION.')
```

```

      GO TO 350
207 WRITE(6,209)
209 FORMAT('2THE POLLUTANT RELEASE IS FROM GROUND LEVEL; AND THE
1 WIND IS BLOWING IN THE EASTERNLY DIRECTION.')
      CALL RESULT(Q)
      GO TO 350
210 IF(LEVEL .EQ. 0) GO TO 211
      WRITE(6,212)
212 FORMAT('2THE POLLUTANT RELEASE IS FROM THE STACK; AND THE WIND IS
1 BLOWING IN THE WESTERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
211 WRITE(6,213)
213 FORMAT('2THE POLLUTANT RELEASE IS FROM THE GROUND; AND THE WIND IS
1 BLOWING IN THE WESTERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
214 IF(LEVEL .EQ. 0) GO TO 215
      WRITE(6,216)
216 FORMAT('2THE POLLUTANT RELEASE IS FROM THE STACK; AND THE WIND
1 IS BLOWING IN THE NORTH-EASTERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
215 WRITE(6,217)
217 FORMAT('2THE POLLUTANT RELEASE IS FROM THE GROUND; AND THE WIND
1 BLOWING IN THE NORTH-EASERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
218 IF(LEVEL .EQ. 0) GO TO 219
      WRITE(6,220)
220 FORMAT('2THE POLLUTANT RELEASE IS FROM THE STACK; AND THE WIND
1 IS BLOWING IN THE SOUTH-EASTERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
219 WRITE(6,221)
221 FORMAT('2THE POLLUTANT RELEASE IS FROM THE GROUND; AND THE WIND
1 IS BLOWING IN THE SOUTH-EASTERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
222 IF(LEVEL .EQ. 0) GO TO 223
      WRITE(6,224)
224 FORMAT('2THE POLLUTANT RELEASE IS FROM THE STACK; AND THE WIND
1 IS BLOWING IN THE SOUTH-WESTERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
223 WRITE(6,225)
225 FORMAT('2THE POLLUTANT RELEASE IS FROM THE GROUND; AND THE WIND
1 IS BLOWING IN THE SOUTH-WESTERNLY DIRECTION')
      CALL RESULT(Q)
      GO TO 350
350 RETURN
      END
      SUBROUTINE RESULT(Q)
      WRITE(6,260) Q
260 FORMAT('THE RELEASE RATE IS:',F5.2,2X,'CURIES A SECOND.')
      RETURN
      END
      SUBROUTINE PEANTS
      REAL QEXLP1,QEXLP2,QEXLC1,QEXLC2,Q,LAMDA,LEAK,
1 LEAKP,LAMDAE

```

```

INTEGER TIMINT,NDIST,LEVEL,TRACE,DUOLK
CCMCN 0,EXPOTM,TIMINT,A,CHI,DELDCS,DOSE,DINDOS,THYDOS,
1TOTDOS,NCIST,EBETA,EGAMA,LAMDAE,BR,ZSI,LEVEL,HGT,TRACE,QCHI,
1SIGY,SIGZ1,SIGZ3,SIGZ4,SIGZ5,SIGZ6,SIGZ7,QNCT,LAMDA,
1WNVEL1,WNVEL3,WNVEL4,WNVEL5,WNVEL6,WNVEL7,LEAK,LEAKP,DUOLK
DIMENSIGN A(25,1),CHI(25,10),CELDCS(25,10),DOSE(25,10),
1DINDOS(25,10),THYDOS(25,10),TOTDOS(25,10),HGT(25),
1SIGY(25),SIGZ1(25),SIGZ3(25),SIGZ4(25),SIGZ5(25),SIGZ6(25),
1SIGZ7(25),QCHI(25,10)
J=TIMINT
IF(DUOLK .EQ. 0) GO TO 335
QLCPT=LEAKP*LEAK*QNCT/(3600.*8.*(LEAK-LEAKP))
QEXLP1=(1.-EXP(-(LAMDA+LEAKP)*3600.*8.))
CEXLP2=1./(LEAKP+LAMDA)
QEXLC1=(1.-EXP(-(LAMDA+LEAK)*3600.*8.))
QEXLC2=1./(LEAK+LAMDA)
Q=QLCPT*(QEXLP1*QEXLP2-QEXLC1*QEXLC2)
GO TO 336
335 QC=QNCT*LEAK/(3600.*8.*(LEAK+LAMDA))
C=QC*(1.-EXP(-(LEAK+LAMDA)*3600.*8.))
336 DO 305 I=1,NDIST
IF(LEVEL .EQ.1) GO TO 311
CHI(I,J)=Q/(3.14*WNVEL1*SIGY(I)*SIGZ1(I))
QCHI(I,J)=CHI(I,J)/Q
GO TO 312
311 CHI(I,J)=Q*EXP(-((HGT(I)/SIGZ1(I))**2/2))/
1(3.14*WNVEL1*SIGY(I)*SIGZ1(I))
QCHI(I,J)=CHI(I,J)/Q
312 DELDCS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.*8.
DOSE(I,J)=DOSE(I,J)+DELDCS(I,J)
DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)*
13600.*8.
THYDOS(I,J)=THYDOS(I,J)+DINDOS(I,J)
TOTDOS(I,J)=TOTDOS(I,J)+DINDOS(I,J)+DELDCS(I,J)
305 CONTINUE
DIFF=EXPCTM-8.
PIFF=DIFF
IF(DIFF .GT. 16.) DIFF=16.
HIFF=DIFF+8.
TIFF=DIFF/2.+8.
IF(DUOLK .EQ. 0) GO TO 337
QL1=3600.*DIFF*LEAK
QL2=3600.*DIFF*LEAKP
QL3=QL1-QL2
QLCPT=LEAK*LEAKP*QNCT/QL3
QEXLP1=EXP(-(LAMDA+LEAKP)*3600.*8.)-EXP(-(LAMDA+LEAKP)
1*3600.*HIFF)
QEXLC1=EXP(-(LAMDA+LEAK)*3600.*8.)-EXP(-(LAMDA+LEAK)
1*3600.*HIFF)
Q=QLCPT*(QEXLP1*QEXLP2-QEXLC1*CEXLC2)
QD1=QNCT*LEAK*LEAKP/(LEAK-LEAKP)
QD2=EXP(-(LAMDA+LEAKP)*3600.*TIFF)
QD3=EXP(-(LAMDA+LEAK)*3600.*TIFF)
Q1=QD1*(QD2-QD3)
GO TO 338
337 QC=QNCT*LEAK/(3600.*DIFF*(LEAK+LAMDA))
Q=QC*(EXP(-(LEAK+LAMDA)*3600.*8.)-EXP(-(LEAK+LAMDA)
1*3600.*HIFF))
Q1=QNCT*LEAK*EXP(-(LAMDA+LEAK)*3600.*TIFF)
338 IF(Q .LE. 0) GO TO 350

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53 350 Q=Q1
54 IF(Q .LE. 0) GO TO 308
55 351 DO 306 I=1,NDIST
56 IF(LEVEL .EQ. 1) GO TO 313
57 CHI(I,J)=Q*2.032/(SIGZ1(I)*WNVEL1*A(I,1))
58 QCHI(I,J)=CHI(I,J)/Q
59 GO TO 314
60 313 CHI(I,J)=Q*2.032*EXP((- (FGT(I)/SIGZ1(I))**2/2))/(WNVEL1*SIGZ1(I)
61 1*A(I,1))
62 QCHI(I,J)=CHI(I,J)/Q
63 314 DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.*DIFF
64 DOSE(I,J)=DOSE(I,J)+DELDCS(I,J)
65 DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)*
66 13600.*DIFF
67 THYDOS(I,J)=THYDOS(I,J)+DINDOS(I,J)
68 TOTDOS(I,J)=TCTDOS(I,J)+DINDOS(I,J)+DELDCS(I,J)
69 306 CCNTINUE
70 IF(PIFF .GT. 16.) GO TO 307
71 GO TO 308
72 307 DIFF=EXPCTM-24.
73 PIFF=DIFF
74 IF(DIFF .GT. 72.) DIFF=72.
75 HIFF=DIFF+24.
76 TIFF=DIFF/2.+24.
77 IF(DUOLK .EQ. 0) GO TO 339
78 CL1=3600.*DIFF*LEAK
79 CL2=3600.*DIFF*LEAKP
80 CL3=CL1-CL2
81 QLCPT=LEAK*LEAKP*QNOT/CL3
82 QEXLP1=EXP(-(LAMDA+LEAKP)*3600.*24.)-EXP(-(LAMDA+LEAKP)
83 1*3600.*HIFF)
84 QEXLC1=EXP(-(LAMDA+LEAK)*3600.*24.)-EXP(-(LAMDA+LEAK)
85 1*3600.*HIFF)
86 Q=QLCPT*(QEXLP1*QEXLP2-CEXLC1*CEXLC2)
87 CD1=QNOT*LEAK*LEAKP/(LEAK-LEAKP)
88 QD2=EXP(-(LAMDA+LEAKP)*3600.*TIFF)
89 QD3=EXP(-(LAMDA+LEAK)*3600.*TIFF)
90 Q1=QD1*(QD2-QD3)
91 GO TO 340
92 339 QC=QNOT*LEAK/(3600.*DIFF*(LEAK+LAMDA))
93 Q=QC*(EXP(-(LEAK+LAMDA)*3600.*24.)-EXP(-(LEAK+LAMDA)
94 1*3600.*HIFF))
95 Q1=QNOT*LEAK*EXP(-(LAMDA+LEAK)*3600.*TIFF)
96 340 IF(Q .LE. 0) GO TO 352
97 GO TO 353
98 352 Q=Q1
99 IF(Q .LE. 0) GO TO 308
100 353 DO 309 I=1,NDIST
101 IF(LEVEL .EQ. 1) GO TO 315
102 CHI(I,J)=.4*Q*2.032/(SIGZ3(I)*WNVEL3*A(I,1))
103 QCHI(I,J)=CHI(I,J)/Q
104 GO TO 316
105 315 CHI(I,J)=.4*Q*2.032*EXP((- (FGT(I)/SIGZ3(I))**2/2))/(WNVEL3*SIGZ3(
106 1*A(I,1))
107 QCHI(I,J)=CHI(I,J)/Q
108 316 DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.
109 1*DIFF
110 DOSE(I,J)=DOSE(I,J)+DELDCS(I,J)
111 DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)

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```

2     THYDOS(I,J)=THYDCS(I,J)+DINDCS(I,J)
3     TOTDOS(I,J)=TOTDCS(I,J)+DELDCS(I,J)+DINDCS(I,J)
4
5     309 CCNTINUE
6     DO 320 I=1,NDIST
7     IF(LEVEL .EQ. 1) GO TO 321
8     CHI(I,J)=.6*Q*2.032/(SIGZ4(I)*WNVEL4*A(I,1))
9     QCHI(I,J)=CHI(I,J)/Q
10    GO TO 322
11
12    321 CHI(I,J)=.6*Q*2.032*EXP((- (FGT(I)/SIGZ4(I))**2/2))/(WNVEL4*SIGZ4(
13    1*A(I,1))
14    QCHI(I,J)=CHI(I,J)/Q
15
16    322 DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.
17    1*DIFF
18    DCSE(I,J)=DCSE(I,J)+DELDCS(I,J)
19    DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
20    1*3600.*DIFF
21    THYDOS(I,J)=THYDCS(I,J)+DINDCS(I,J)
22    TOTDOS(I,J)=TOTDCS(I,J)+DELDCS(I,J)+DINDCS(I,J)
23
24    320 CCNTINUE
25    IF(PIFF .LE. 72.) GO TO 308
26    DIFF=EXPCTM-96.
27    HIFF=DIFF+96.
28    TDIFF=DIFF/2.+96.
29    IF(DUOLK .EQ. 0) GO TO 341
30    QL1=LEAK*DIFF*3600.
31    QL2=LEAKP*DIFF*3600.
32    QL3=QL1-QL2
33    QLCPT=LEAK*LEAKP*QNOT/QL3
34    QEXLP1=EXP(-(LAMDA+LEAKP)*3600.*96.)-EXP(-(LAMDA+LEAKP)
35    1*3600.*HIFF)
36    QEXLC1=EXP(-(LAMDA+LEAK)*3600.*96.)-EXP(-(LAMDA+LEAK)
37    1*3600.*HIFF)
38    Q=QLCPT*(QEXLP1*QEXLP2-QEXLC1*QEXLC2)
39    CD1=QNOT*LEAK*LEAKP/(LEAK-LEAKP)
40    QD2=EXP(-(LAMDA+LEAKP)*3600.*TIFF)
41    QD3=EXP(-(LAMDA+LEAK)*3600.*TIFF)
42    Q1=QD1*(QD2-QD3)
43    GO TO 342
44
45    341 QC=QNOT*LEAK/(3600.*DIFF*(LEAK+LAMDA))
46    Q=QC*(EXP(-(LEAK+LAMDA)*3600.*96.)-EXP(-(LEAK+LAMDA)
47    1*3600.*HIFF))
48    Q1=QNOT*LEAK*EXP(-(LAMDA+LEAK)*3600.*TIFF)
49
50    342 IF(Q .LE. 0) GO TO 354
51    GO TO 355
52
53    354 Q=Q1
54    IF(Q .LE. 0) GO TO 308
55
56    355 DO 323 I=1,NDIST
57    IF(LEVEL .EQ. 1) GO TO 324
58    CHI(I,J)=.333*Q*2.032/(SIGZ5(I)*WNVEL5*A(I,1))
59    QCHI(I,J)=CHI(I,J)/Q
60    GO TO 325
61
62    324 CHI(I,J)=.333*Q*2.032*EXP((- (FGT(I)/SIGZ5(I))**2/2))/(WNVEL5*SIGZ5
63    1*A(I,1))
64    QCHI(I,J)=CHI(I,J)/Q
65
66    325 DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.
67    1*DIFF
68    DCSE(I,J)=DCSE(I,J)+DELDCS(I,J)
69    DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
70    1*3600.*DIFF

```

```

1      THYDOS(I,J)=THYDOS(I,J)+DINDCS(I,J)
2      TOTDOS(I,J)=TOTDCS(I,J)+DELDCS(I,J)+DINDCS(I,J)
13     323 CCNTINUE
14      DO 326 I=1,NDIST
15      IF(LEVEL .EQ. 1) GO TO 327
16      CHI(I,J)=.333*Q*2.032/(SIGZ6(I)*WNVEL6*A(I,1))
17      QCHI(I,J)=CHI(I,J)/Q
18      GO TO 328
19     327 CHI(I,J)=.333*Q*2.032*EXP((- (HGT(I)/SIGZ6(I))**2/2))/(WNVEL6*SIGZ
20     1*A(I,1))
21      QCHI(I,J)=CHI(I,J)/Q
22     328 DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.
23     1*DIFF
24      DOSE(I,J)=DOSE(I,J)+DELDCS(I,J)
25      DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
26     1*3600.*DIFF
27      THYDOS(I,J)=THYDOS(I,J)+DINDCS(I,J)
28      TOTDOS(I,J)=TOTDCS(I,J)+DELDCS(I,J)+DINDOS(I,J)
29     326 CCNTINUE
30      DO 329 I=1,NDIST
31      IF(LEVEL .EQ. 1) GO TO 330
32      CHI(I,J)=.333*Q*2.032/(SIGZ7(I)*WNVEL7*A(I,1))
33      QCHI(I,J)=CHI(I,J)/Q
34      GO TO 331
35     330 CHI(I,J)=.333*Q*2.032*EXP((- (HGT(I)/SIGZ7(I))**2/2))/(WNVEL7*SIGZ
36     1*A(I,1))
37      QCHI(I,J)=CHI(I,J)/Q
38     331 DELDOS(I,J)=(.228*EBETA+.253*EGAMA)*CHI(I,J)*3600.
39     1*DIFF
40      DOSE(I,J)=DOSE(I,J)+DELDCS(I,J)
41      DINDOS(I,J)=136.16*BR*ZSI*CHI(I,J)/(20.*LAMDAE)
42     1*3600.*DIFF
43      THYDOS(I,J)=THYDOS(I,J)+DINDCS(I,J)
44      TOTDOS(I,J)=TOTDCS(I,J)+DELDCS(I,J)+DINDOS(I,J)
45     329 CCNTINUE
46     308 RETURN
47     END

```

OF FILE

APPENDIX II
DATA USED IN RUNNING THE PROGRAM

The horizontal (σ_y) and vertical (σ_z) dispersion coefficients were obtained from figs. (4.3) and (4.4) in reference (16) respectively, and for the atmospheric conditions given in table (A. II-1).

Table (A. II-1)
Atmospheric Conditions and Wind Velocities for Different Exposure
Times After the Accident

| <u>Exposure Time</u> | <u>Atmospheric Condition</u> | <u>Wind Velocity</u> m/sec |
|----------------------|------------------------------|-------------------------------|
| 2-24 hr | Pasquill's F | 1 |
| 1-4 days | 40% Pasquill's D | 3 |
| | 60% Pasquill's F | 2 |
| More than 4 days | 33.3% Pasquill's C | 3 |
| | 33.3% Pasquill's D | 3 |
| | 33.3% Pasquill's F | 2 |

The values of the pool and containment leak rates were $2.9166 \times 10^{-7} \text{ sec}^{-1}$ and $7.523 \times 10^{-4} \text{ sec}^{-1}$ respectively, and the breathing rate was $3.47 \times 10^{-4} \text{ m}^3/\text{sec}$

```

EPENTS1 SIGZ1=1.8,3.,4.2,6.,7.,8.,9.,9.5,10.,12.,13.,14.,
16.,18.,20.,22.,25.,26.,28.,33.,36.,40.,44.,46.,49.,
WNVEL1=1.,SIGZ3=4.,7.,9.5,13.,16.,18.,20.,22.,23.5,27.,29.,
30.,36.,40.,43.,54.,60.,61.,63.5,85.,100.,110.,130.,150.,
160.,WNVEL3=3.,SIGZ4=1.8,3.,4.2,6.,7.,8.,9.,9.5,10.,12.,13.,
14.,16.,18.,20.,22.,25.,26.,28.,33.,38.,40.,44.,46.,49.,
WNVEL4=2.,SIGZ5=7.,11.,17.,22.,28.,33.,40.,41.,48.,51.,54.,
60.,75.,90.,105.,130.,140.,165.,170.,230.,290.,330.,350.,
425.,500.,WNVEL5=3.,SIGZ6=4.,7.,9.5,13.,16.,18.,20.,22.,
23.5,27.,29.,30.,36.,40.,48.,54.,60.,61.,63.5,85.,100.,
110.,130.,150.,160.,WNVEL6=3.,SIGZ7=1.8,3.,4.2,6.,7.,8.,9.,
9.5,10.,12.,13.,14.,16.,18.,20.,22.,25.,26.,28.,33.,38.,
40.,44.,46.,49.,WNVEL7=2. &END
&EFFLNT LEVEL=0,WINDIR=0,WINVEL=1.,HGT=0.,N=2.5,SIGY=3.,6.,9.,13.,17.,18.,
21.,24.,27.,
30.,33.,35.,43.,50.,60.,72.,80.,90.,100.,145.,190.,210.,260.,280.,300.,
SIGZ=1.8,3.,4.2,6.,7.,8.,9.,9.5,10.,12.,13.,14.,16.,18.,20.,22.,25.,26.,
28.,33.,38.,40.,44.,46.,49.,
QN0T=17.490,POLTA=1,T=0,TIMDEP=0,NDIR=8,NDIST=25,EBETA=.308,EGAMA=1.78,
LAMD=2.373E-5,LEAK=7.523E-7,DELT=0,DOSETP=3,ZSI=.52,TRACE=0,ACCNT=100,
SIGX=0,
BR=3.47E-4,
QCHITR=1,
TIMINT=1,
LEAKP=2.9166E-7,DUJLK=1,
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&EFFLNT QN0T=7.9500,LAMD=1.0026E-6,EBETA=.197,EGAMA=.371,ZSI=.23 &END
&EFFLNT QN0T=3.18E-2,LAMD=2.14E-9,EBETA=.223,EGAMA=.00211,ZSI=0 &END
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